

Evaporation driven by atmospheric boundary layer processes over a shallow salt-water lagoon in the Altiplano Desert

Francisca Aguirre-Correa*, Jordi Vilà-Guerau de Arellano, Reinder Ronda,
Felipe Lobos-Roco, Francisco Suárez, and Oscar Hartogensis

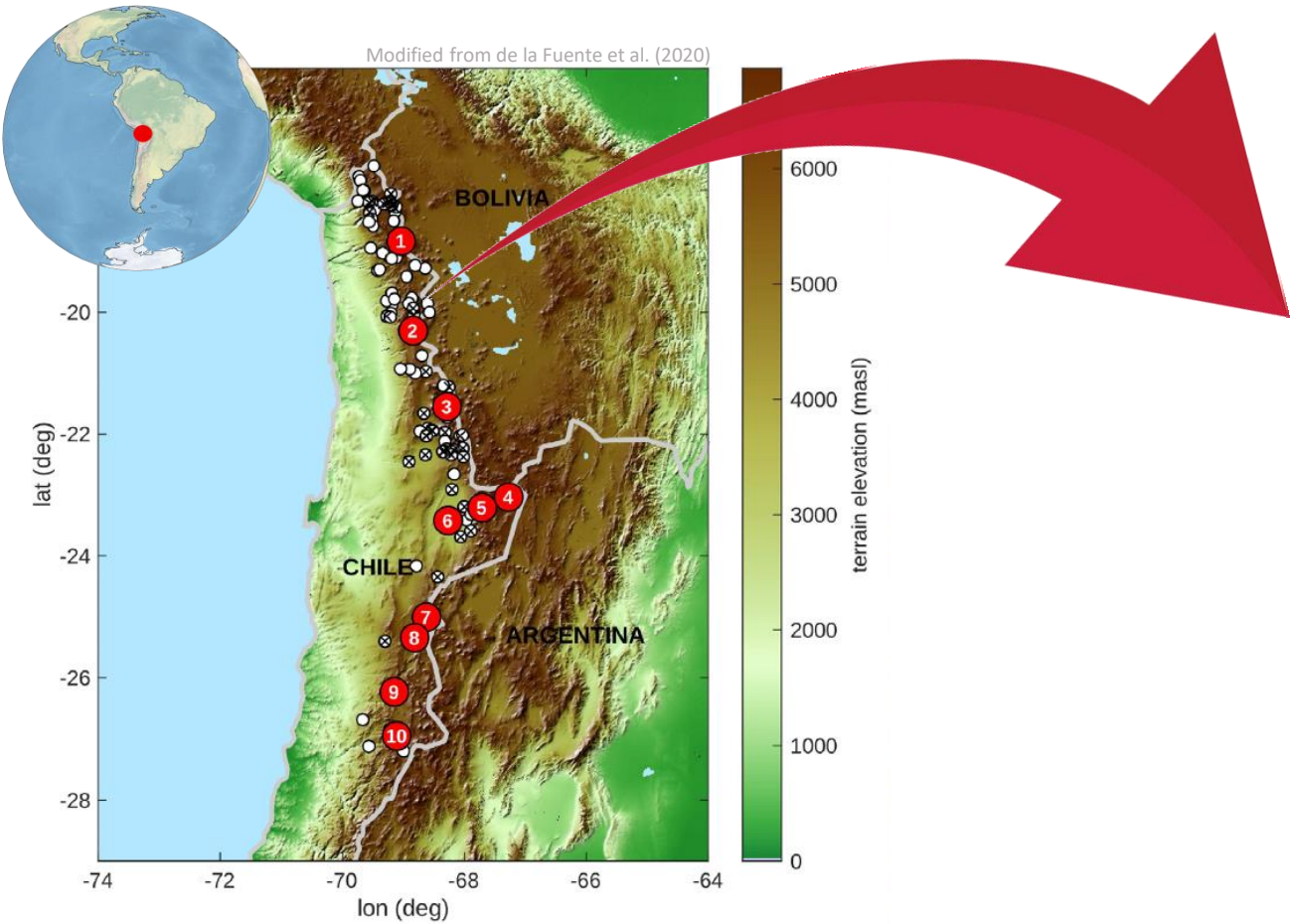


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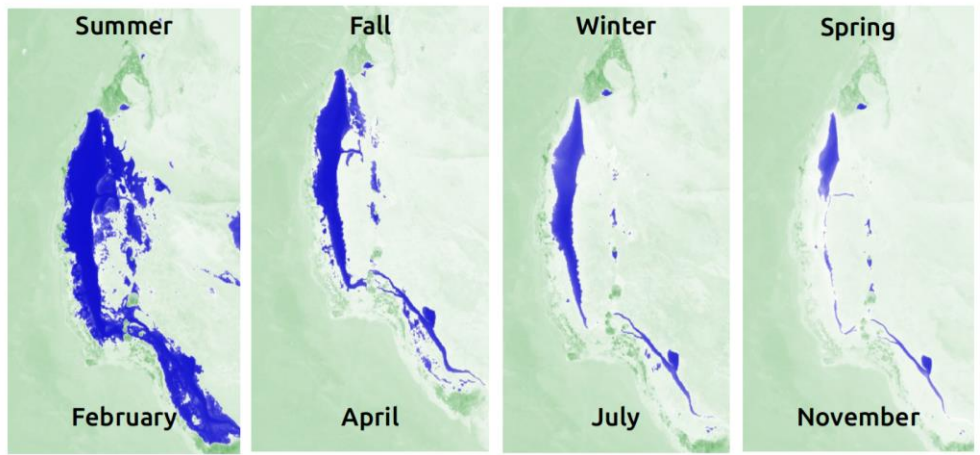
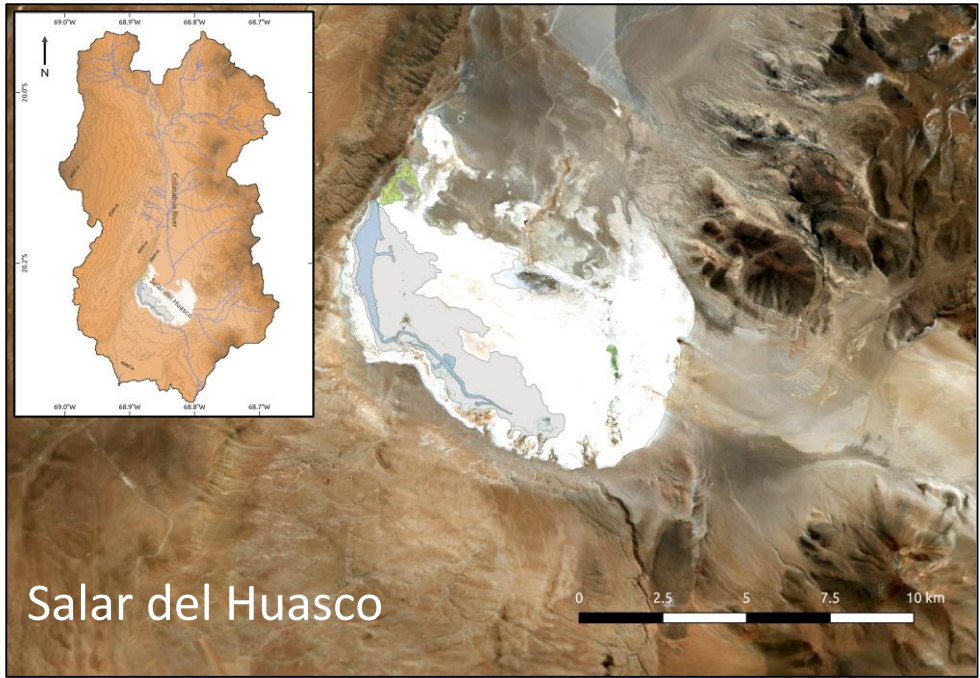


WAGENINGEN
UNIVERSITY & RESEARCH

In the Altiplano (~1500 km) water is evaporated from highly localized environments (~10 km)

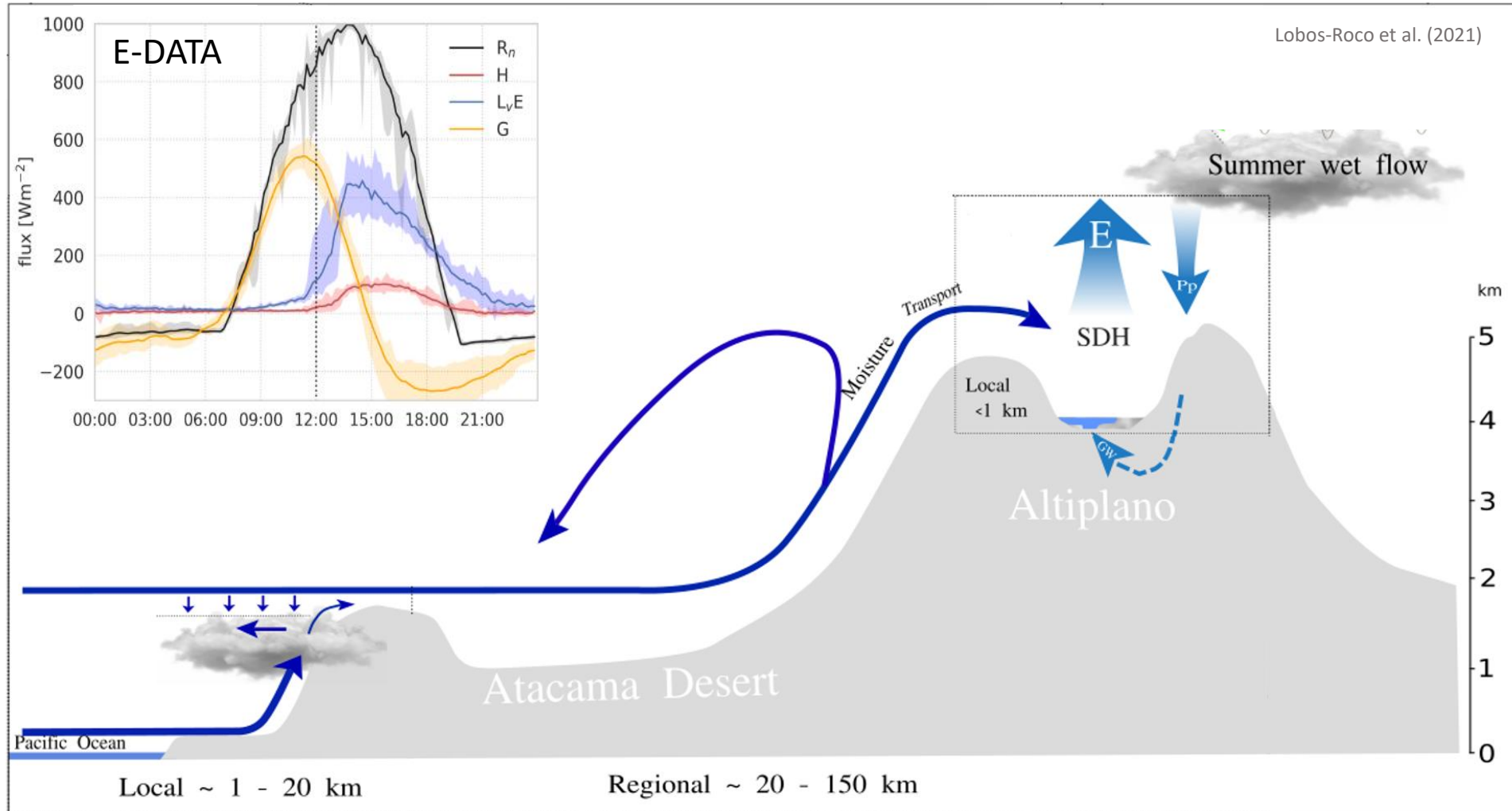


- 1 Surire
- 2 Huasco
- 3 Ascotan
- 4 Tara
- 5 Pujsa
- 6 SH soncor
- 7 Aguas calientes IV
- 8 Pajonales
- 9 Pedernales
- 10 Maricunga
- Precipitation
- × Evaporation

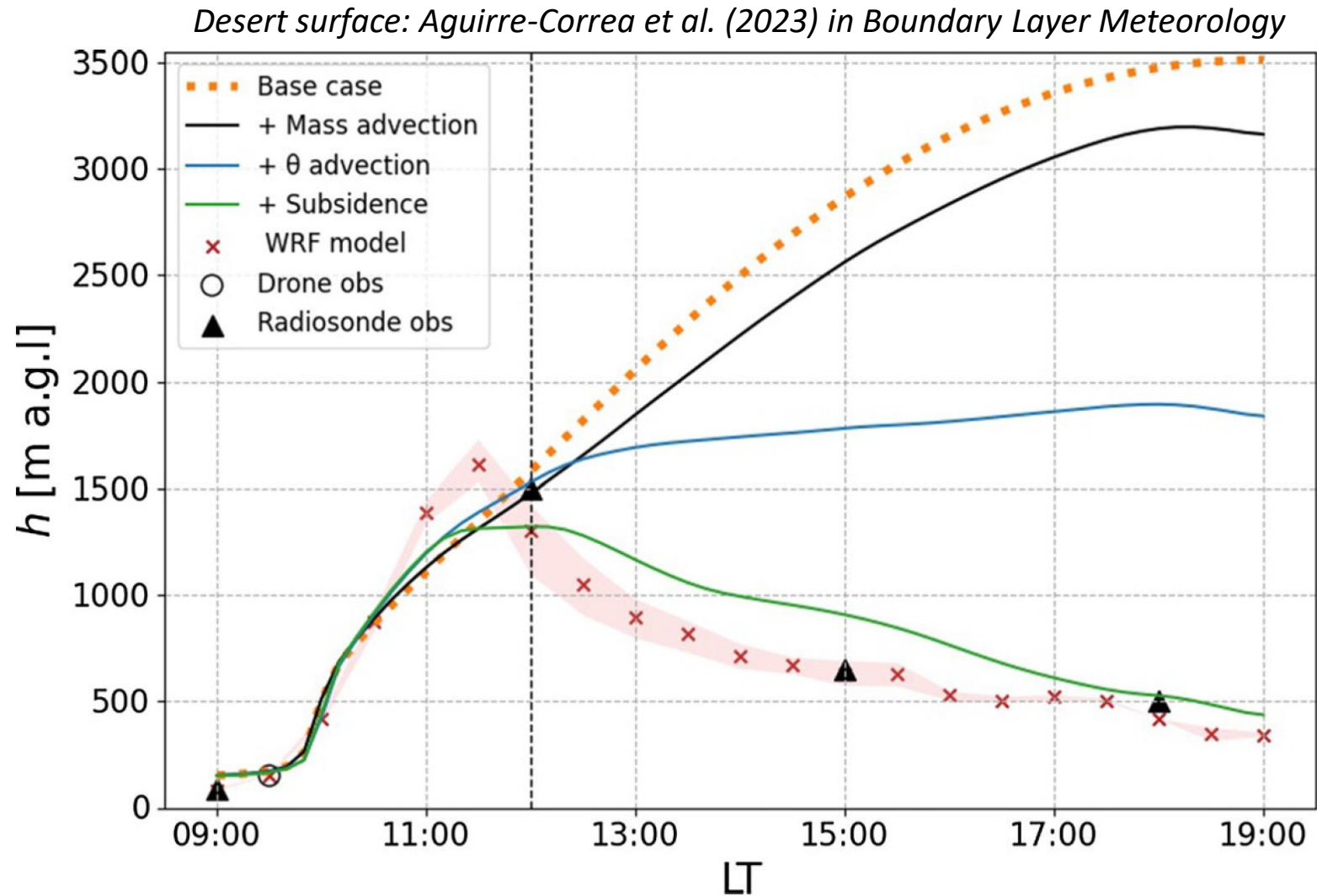


Lobos-Roco et al. (2021)

Local E is controlled by interactions with large-scale forcing driven by the steep topography and the Pacific Ocean



What role does the atmospheric boundary layer play in all of this?

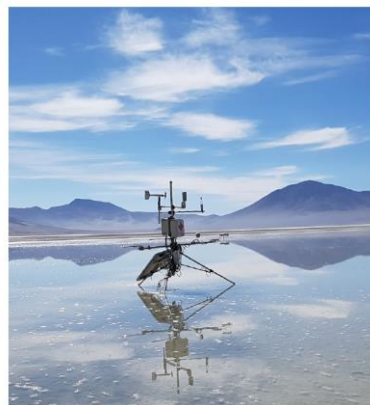




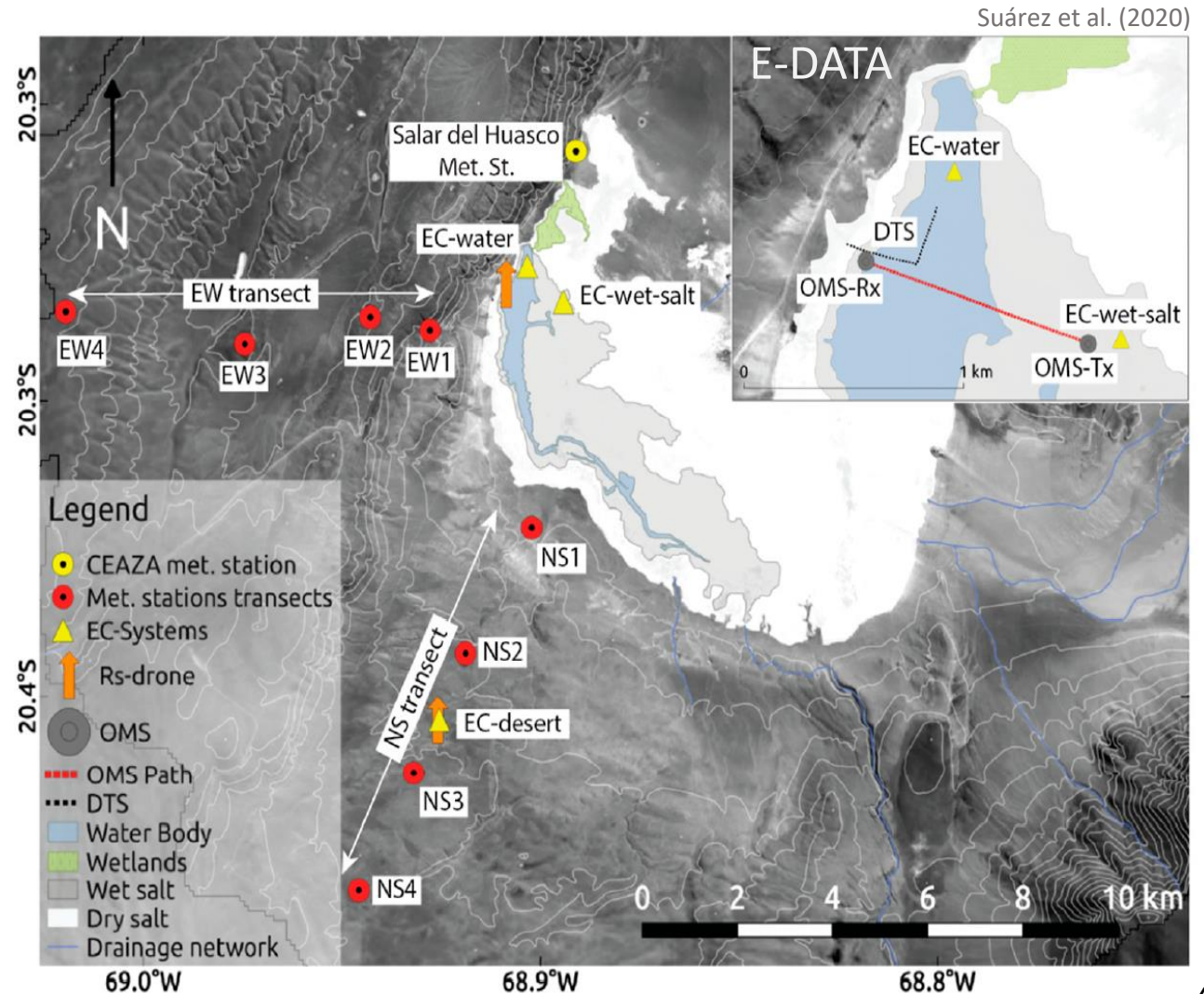
We use an Adapted Penman equation to salt-water conditions as a diagnostic tool for E

$$LE = \frac{\overbrace{s(RN - G)}^{\text{Radiative contribution}} + \overbrace{\frac{\rho c_p}{r_a + r_{salt}} \left(q_{sat} - \frac{q}{a_w} \right)}^{\text{Aerodynamic contribution}}}{s + \frac{\gamma}{a_w}}$$

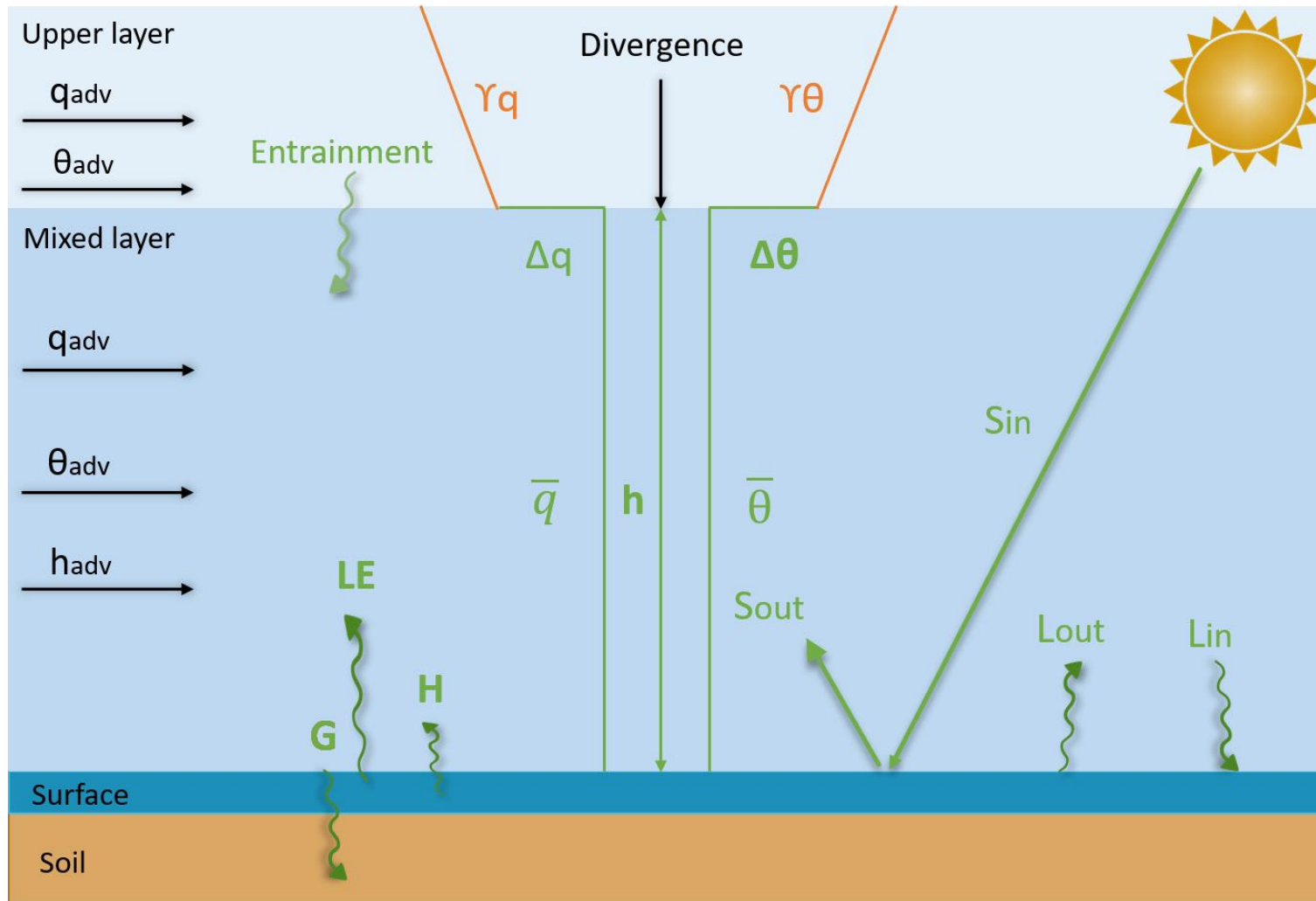
Calder and Neal (1984)



Credits to Oscar Hartogensis



We use a land-atmosphere conceptual model to analyse the drivers of evaporation

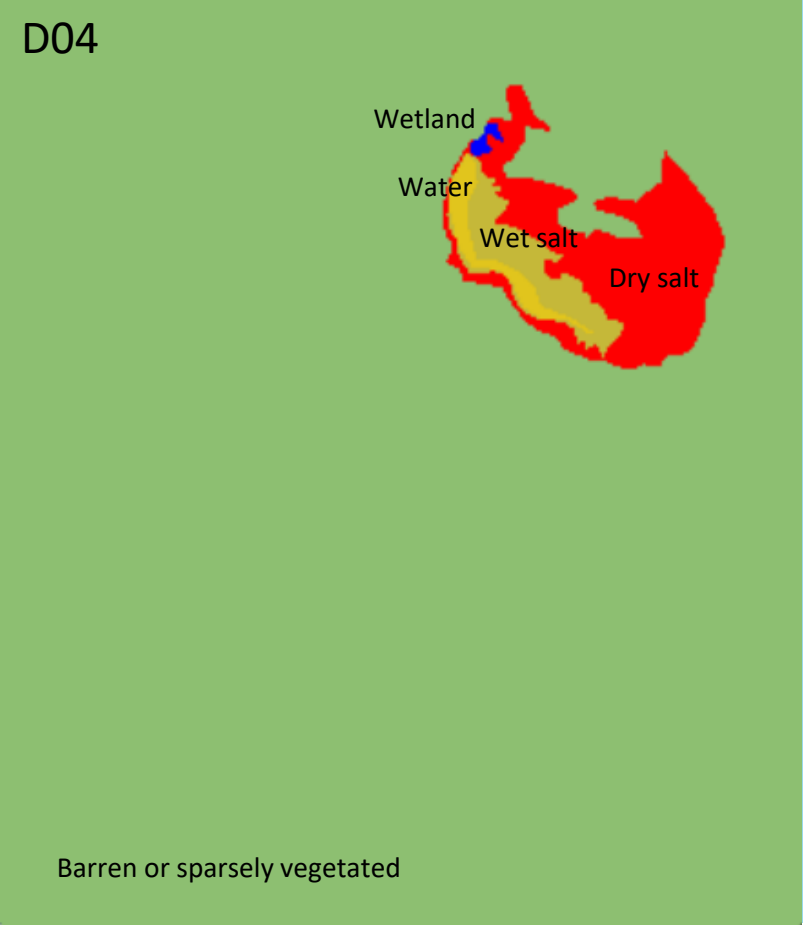
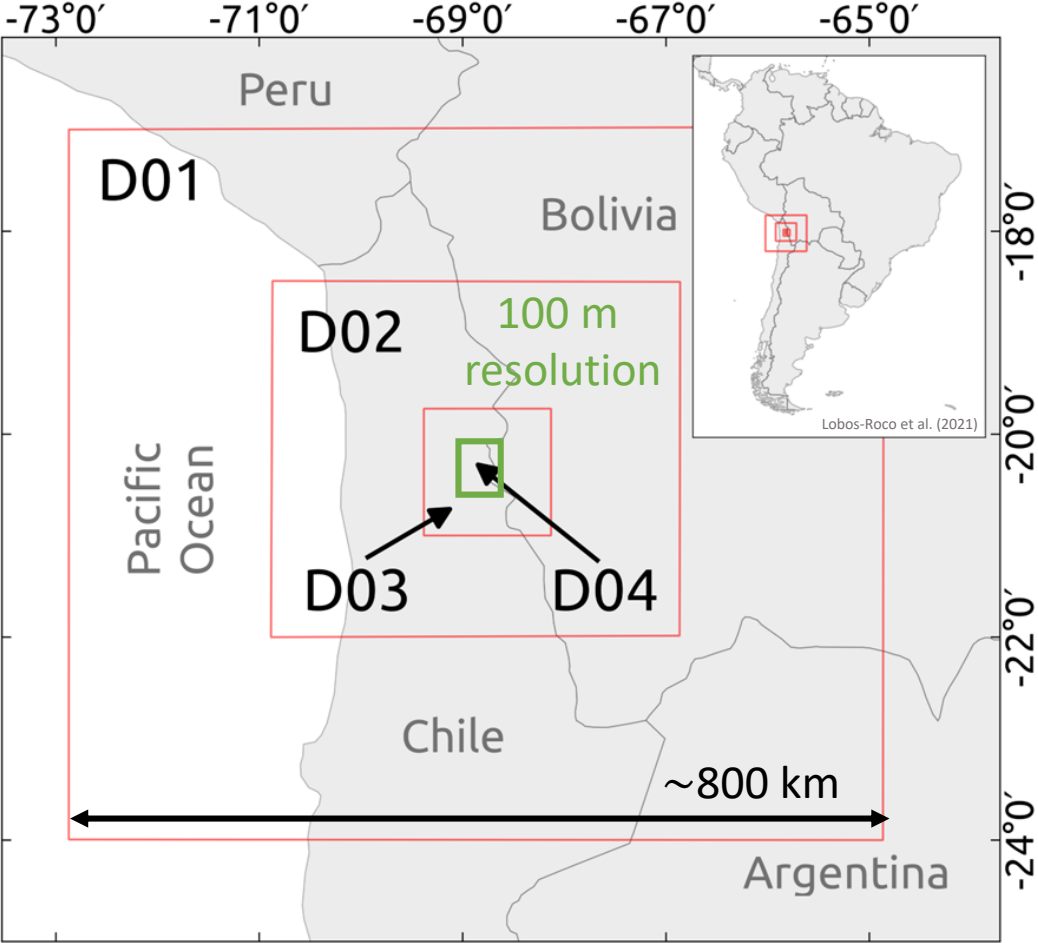


$$\frac{\delta \bar{q}}{\delta t} = \frac{\frac{LE}{\rho L_v} + w_e \Delta q}{h} + q_{adv}$$

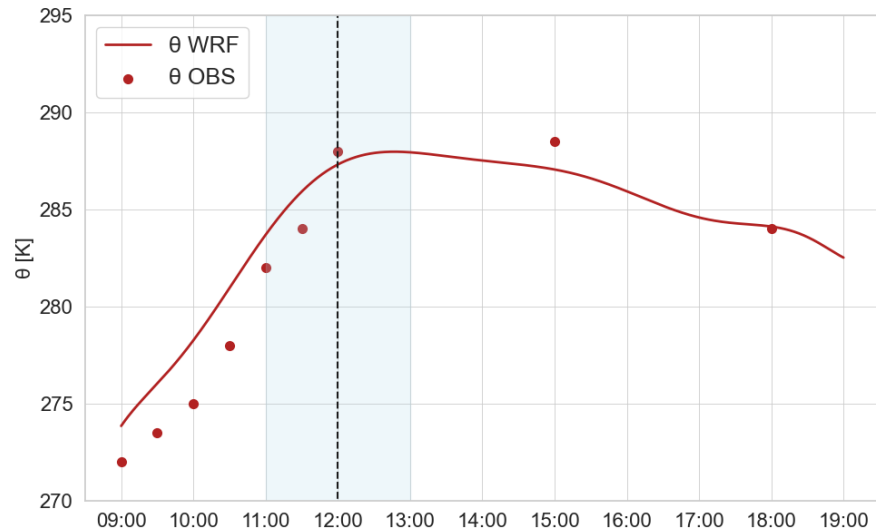
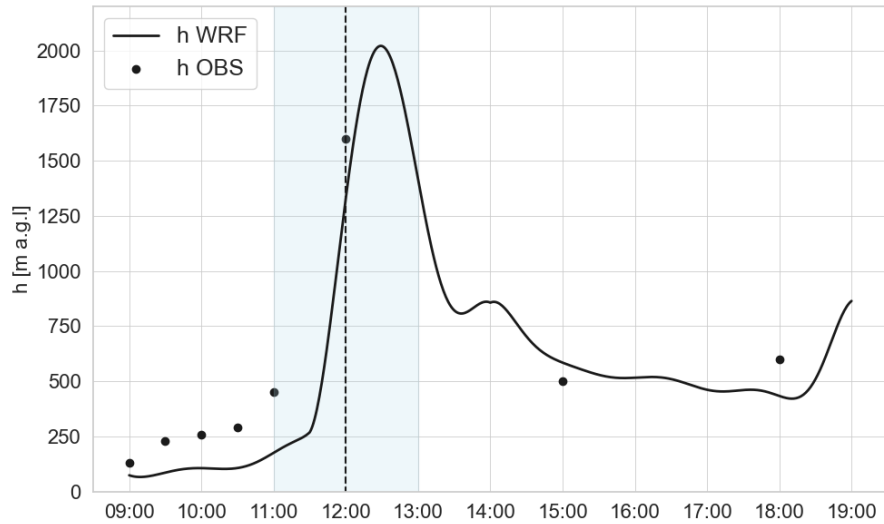
$$\frac{\delta \bar{\theta}}{\delta t} = \frac{\frac{H}{\rho c_p} + w_e \Delta \theta}{h} + \theta_{adv}$$

$$\frac{\delta h}{\delta t} = w_e + Div(\vec{U}_h) h + h_{adv}$$

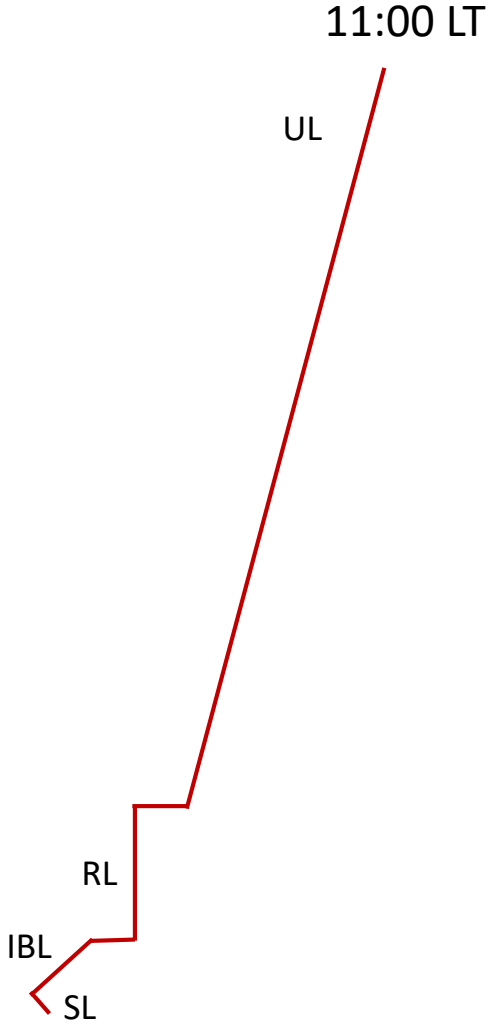
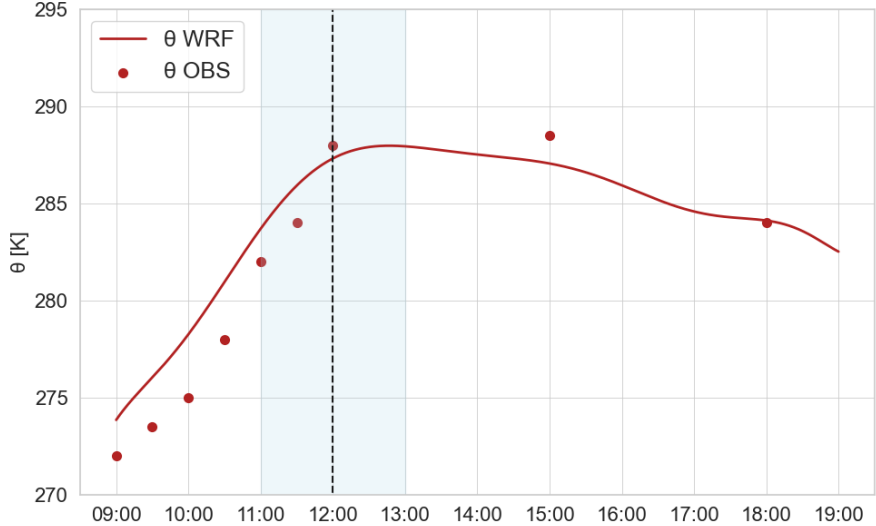
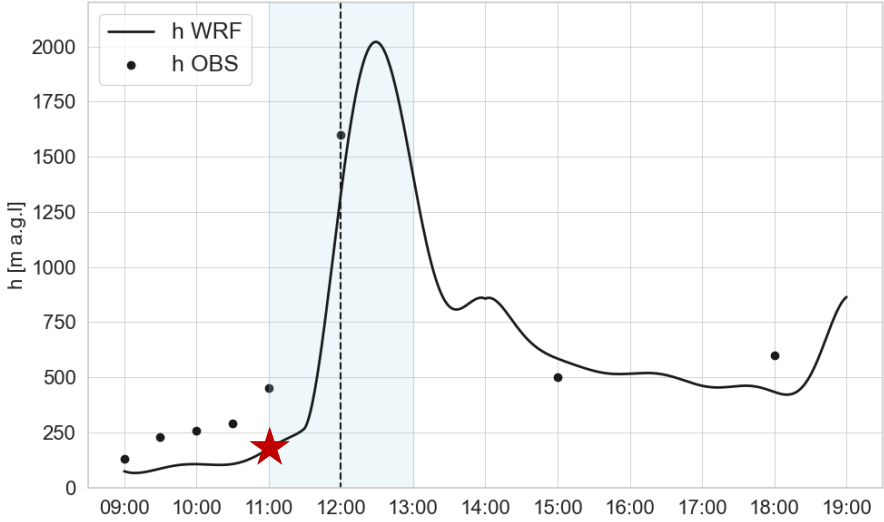
We use WRF-LES model to characterize the regional transport and better represent the local atmosphere



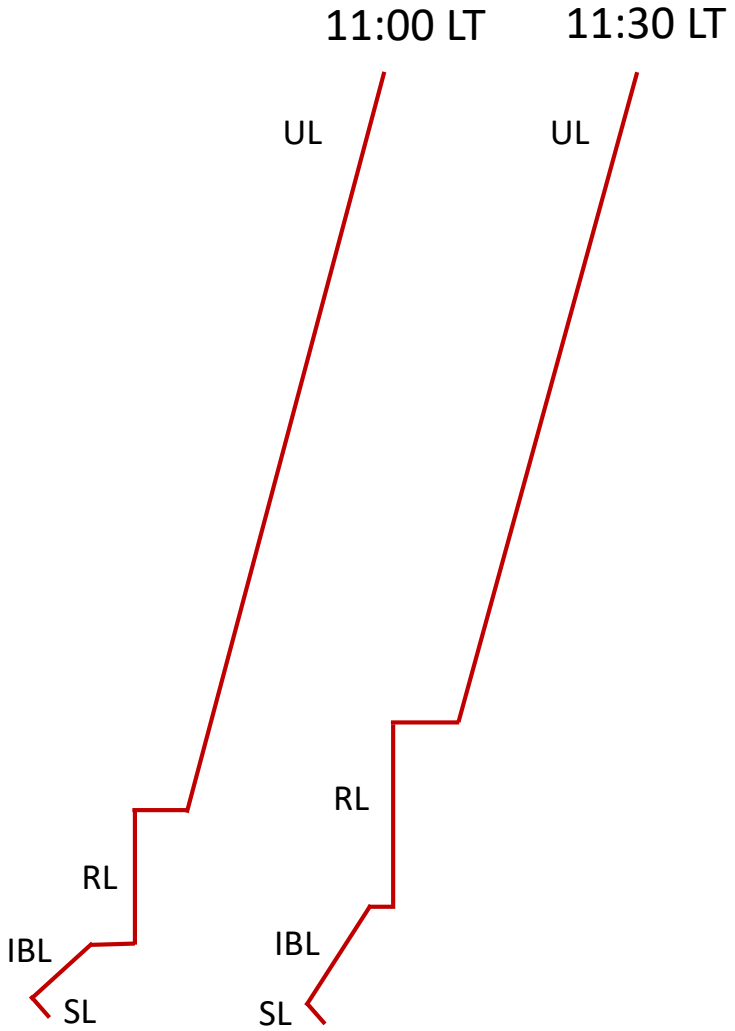
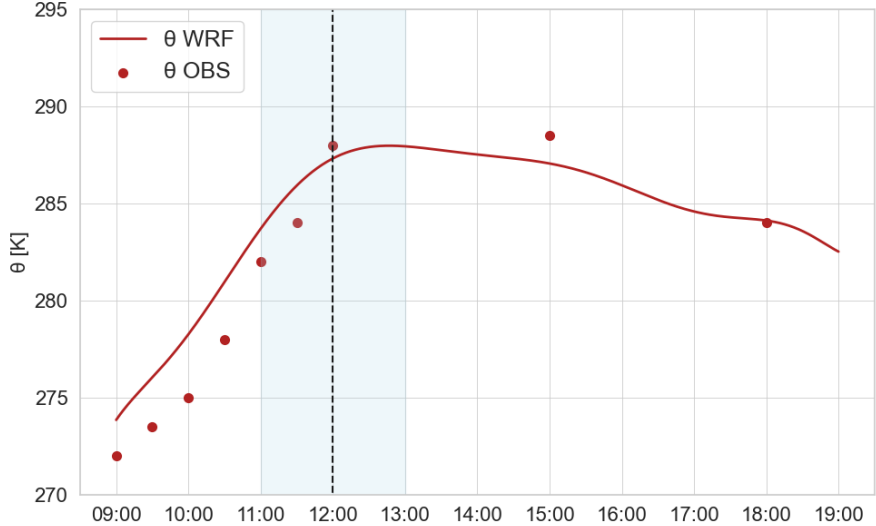
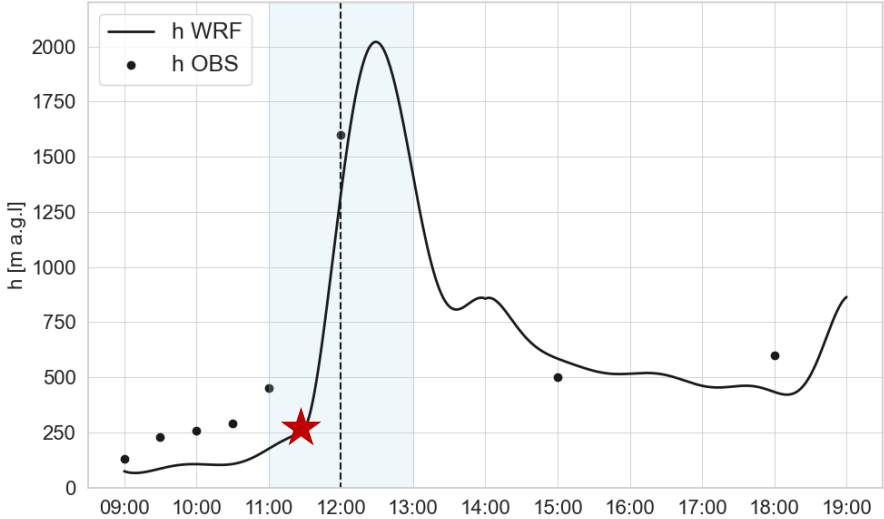
Understanding the atmospheric boundary layer dynamics



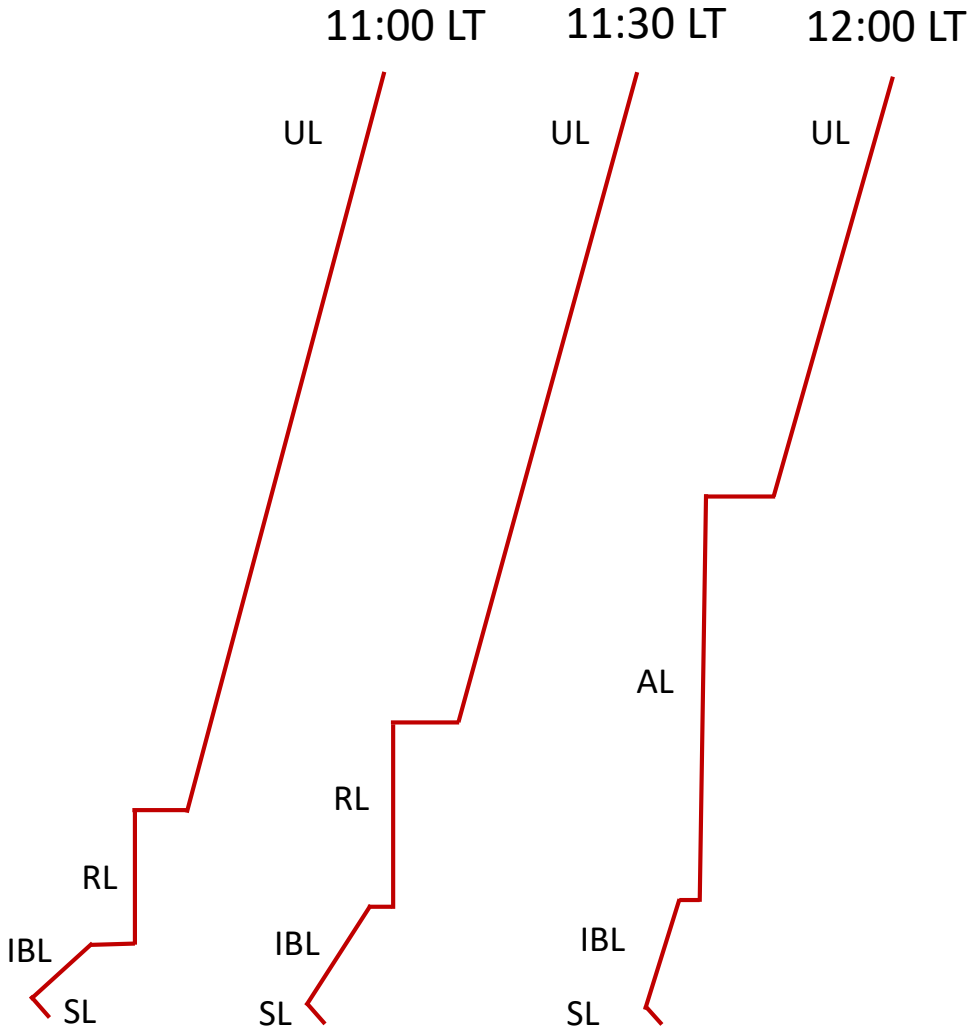
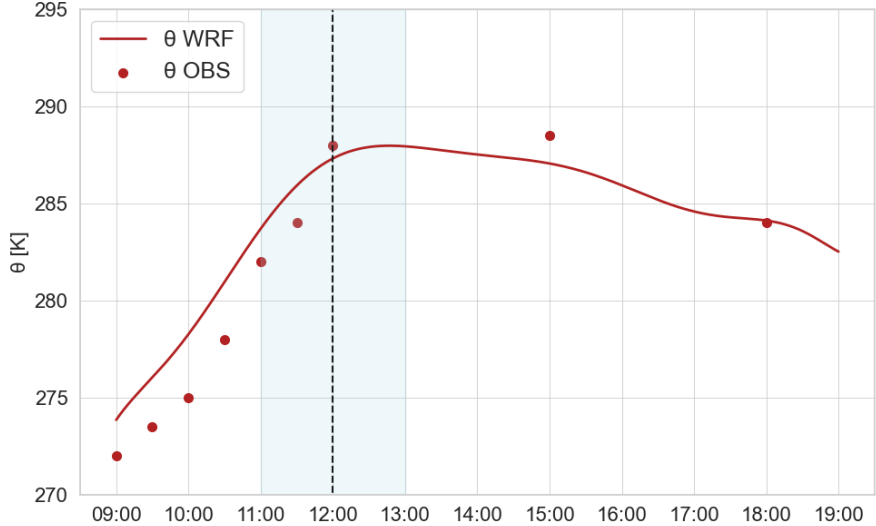
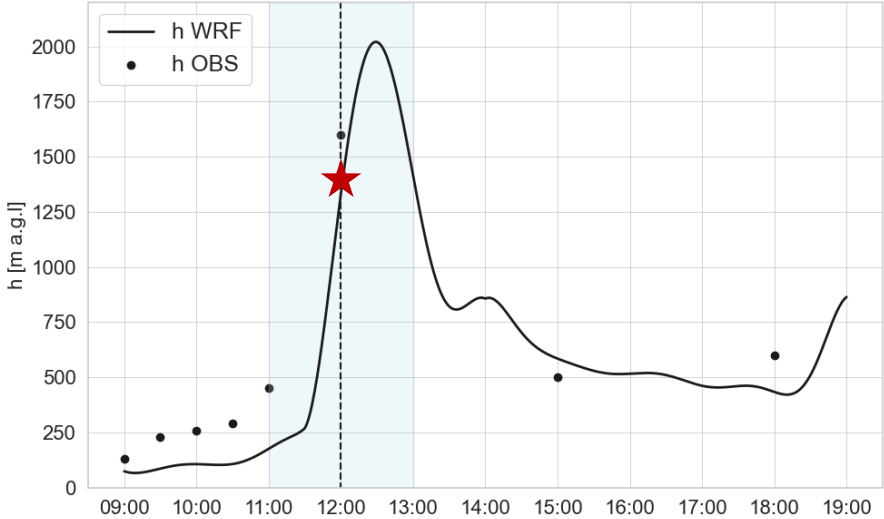
Understanding the atmospheric boundary layer dynamics



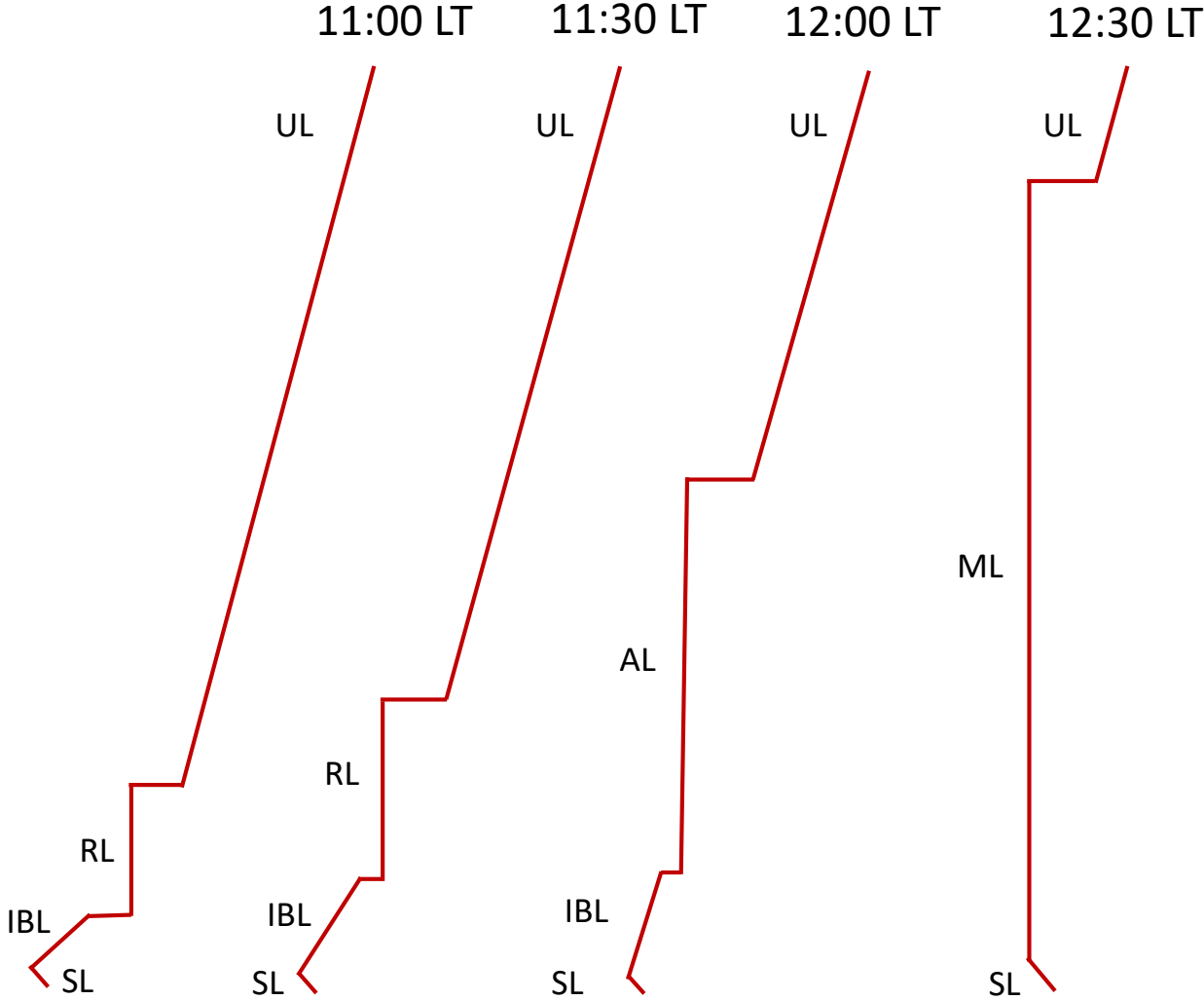
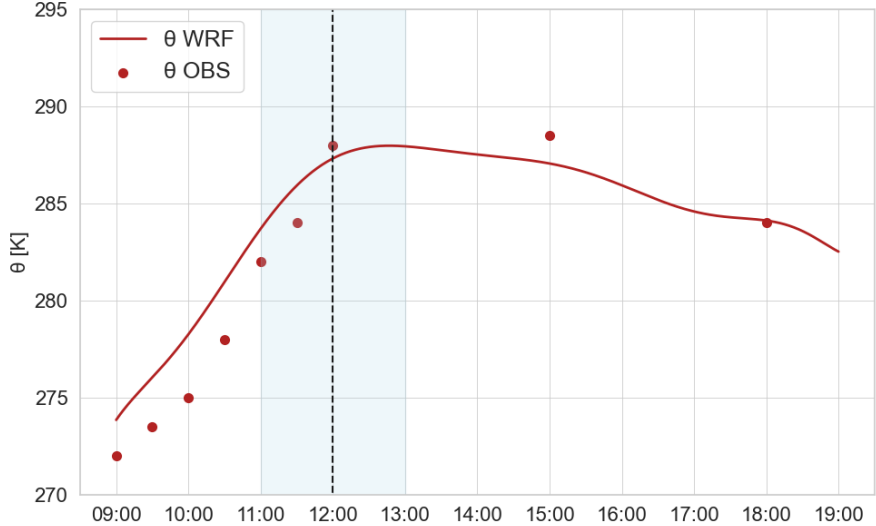
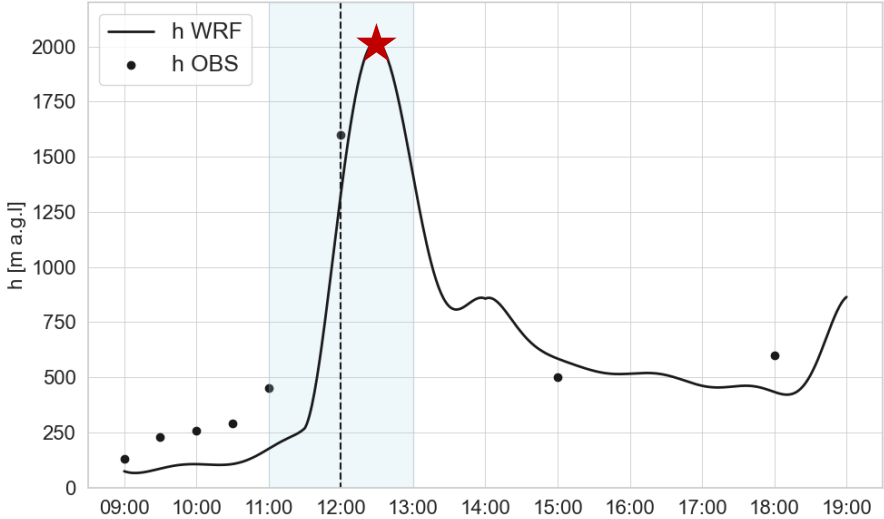
Understanding the atmospheric boundary layer dynamics



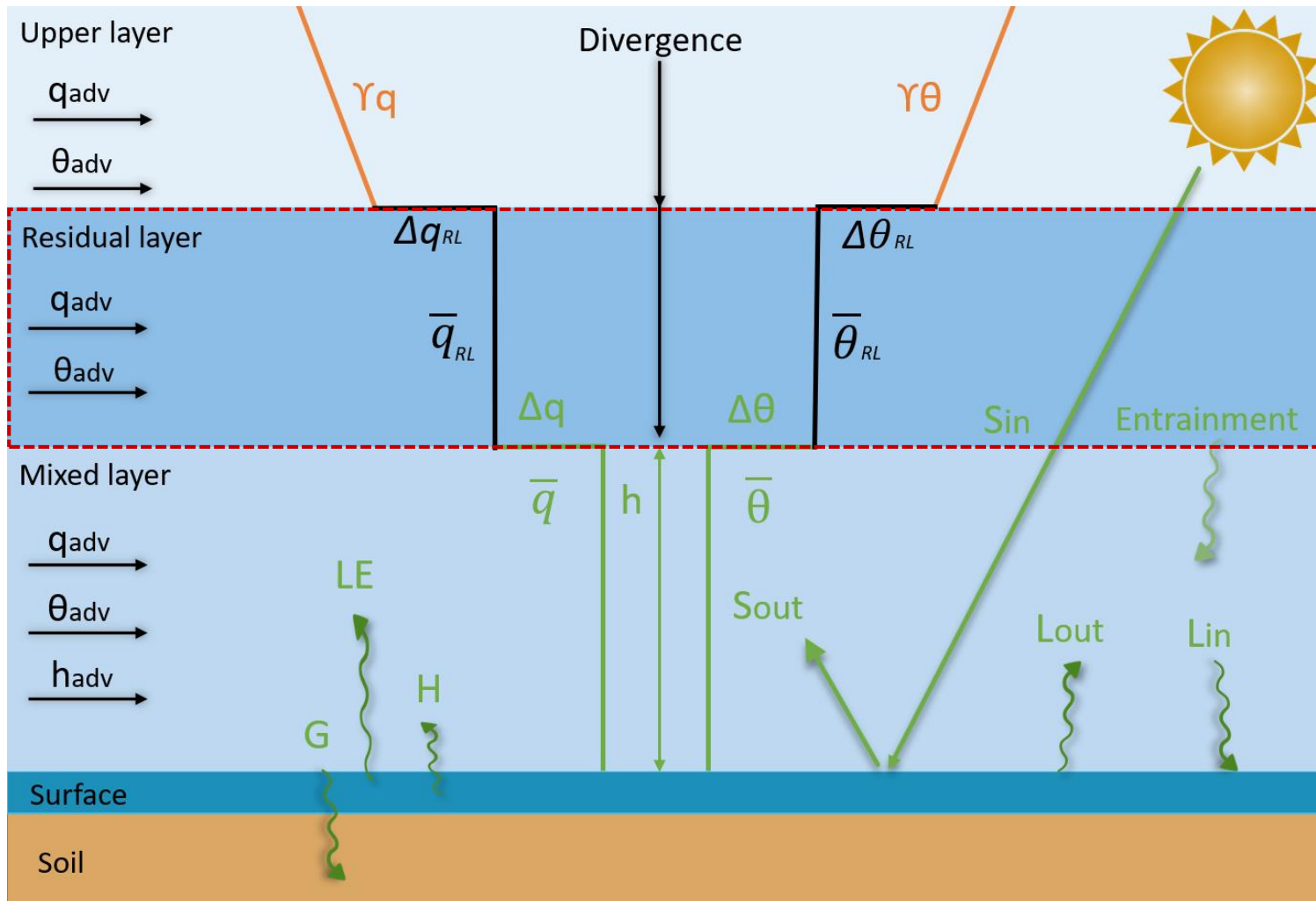
Understanding the atmospheric boundary layer dynamics



Understanding the atmospheric boundary layer dynamics



We use a land-atmosphere conceptual model to analyse the drivers of evaporation

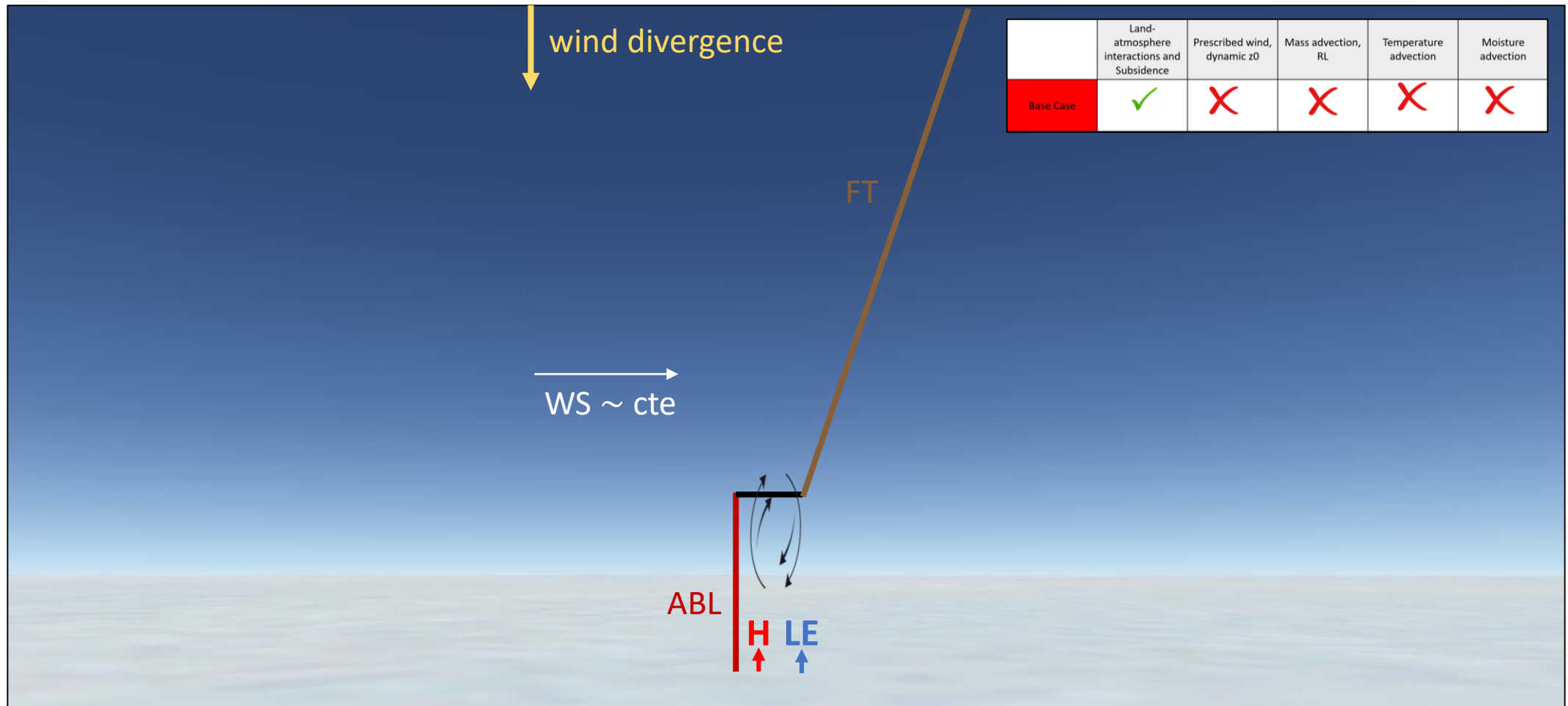


$$\frac{\delta \bar{q}}{\delta t} = \frac{LE}{\rho L_v} + \frac{w_e \Delta q}{h} + q_{adv}$$

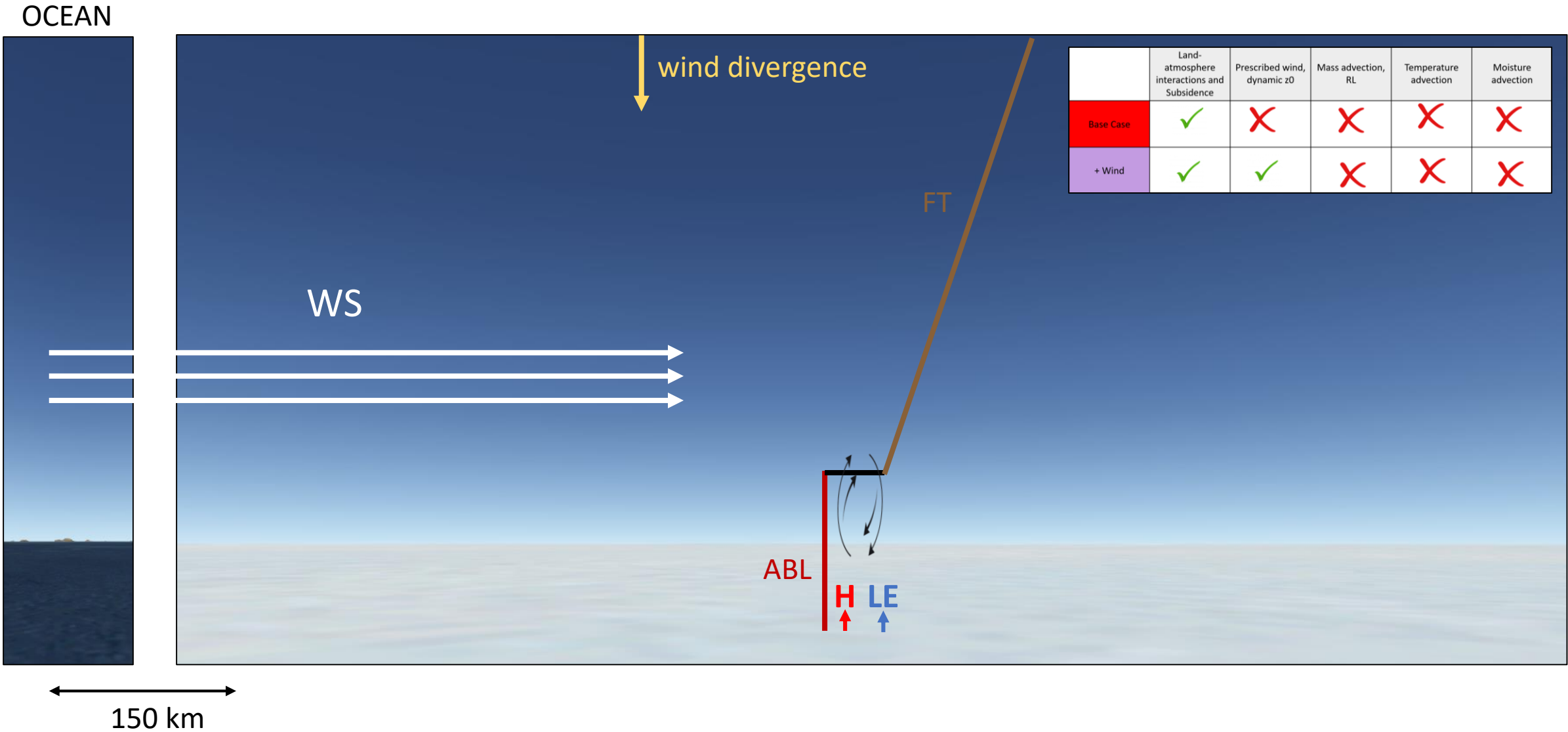
$$\frac{\delta \bar{\theta}}{\delta t} = \frac{H}{\rho c_p} + \frac{w_e \Delta \theta}{h} + \theta_{adv}$$

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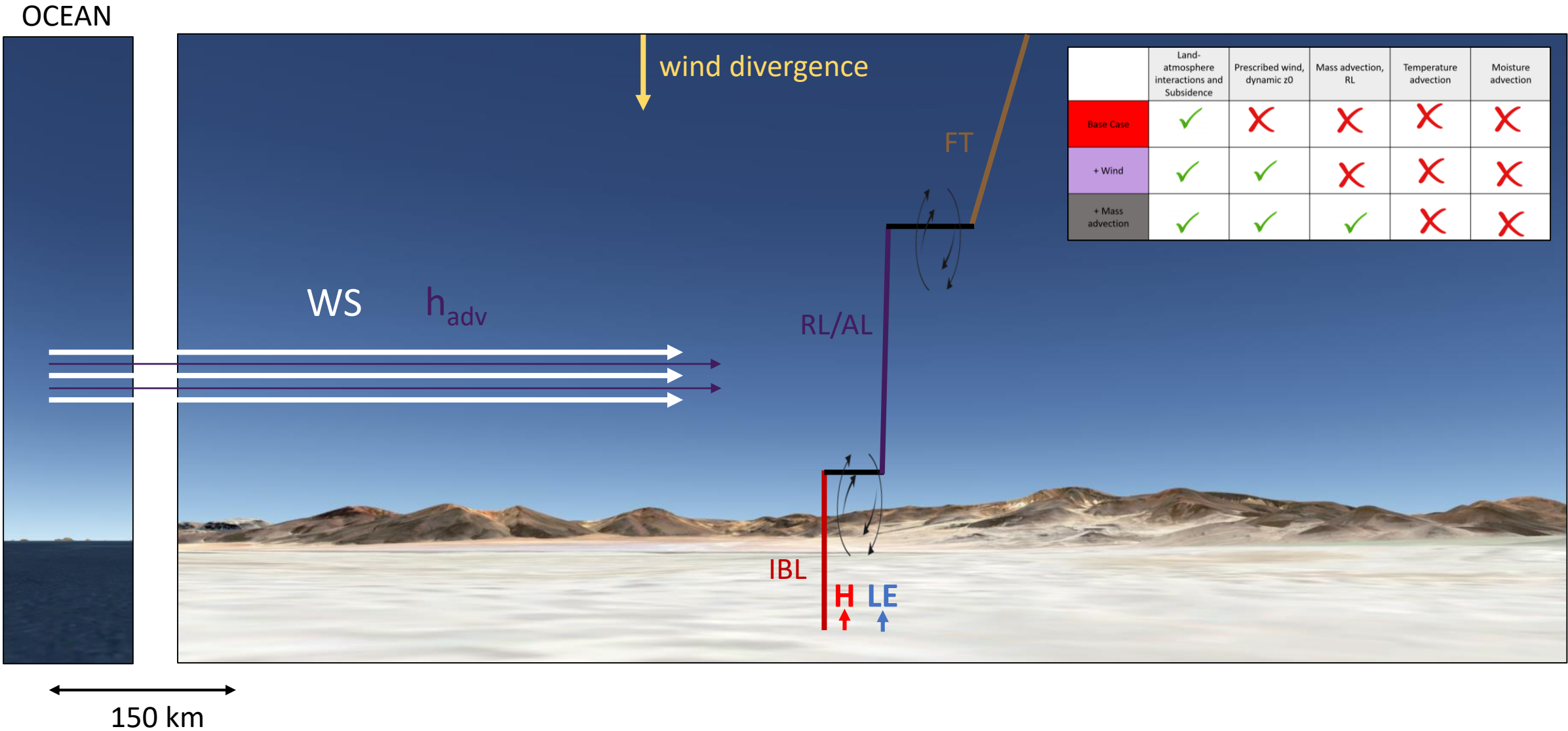
Experiments: Base Case



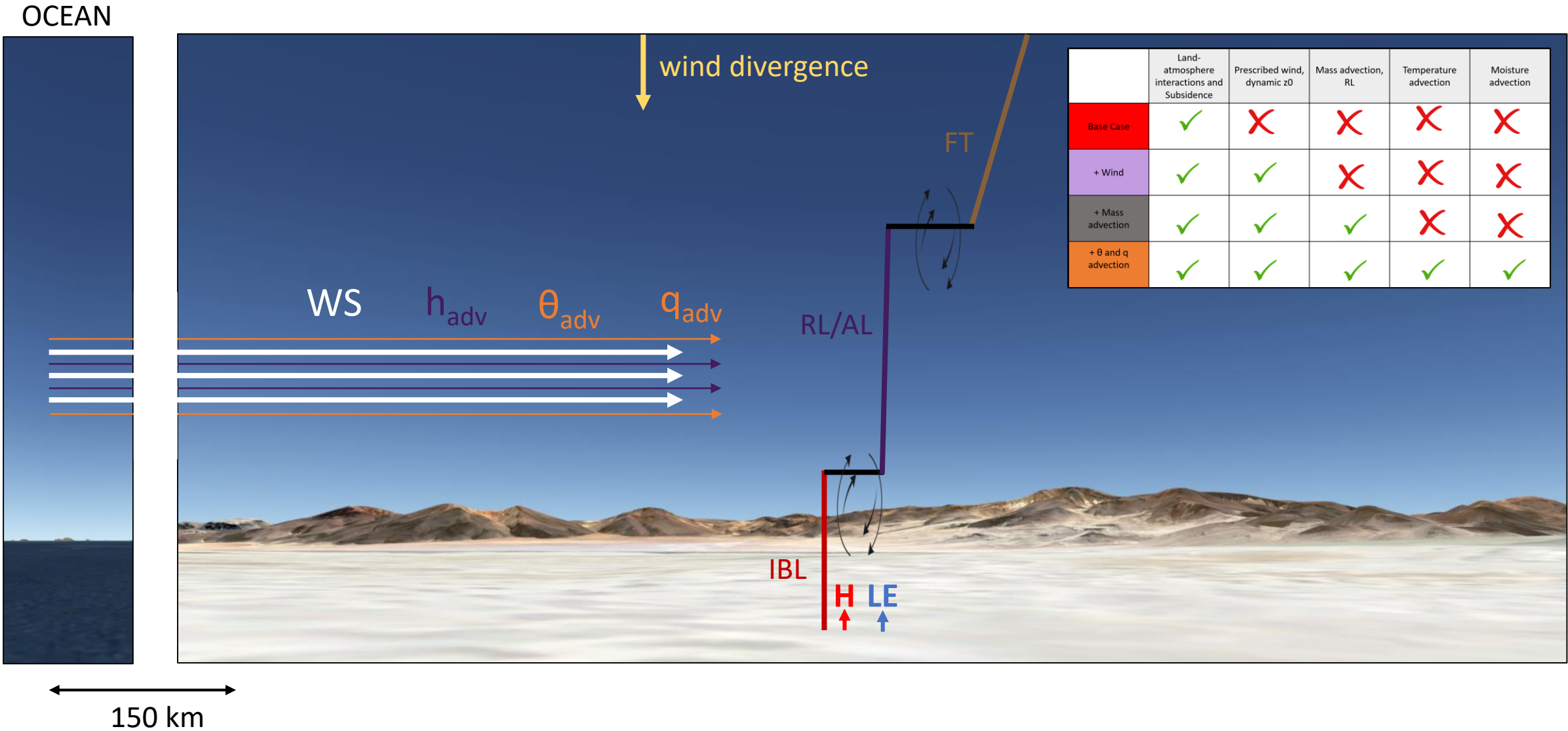
Experiments: + Wind



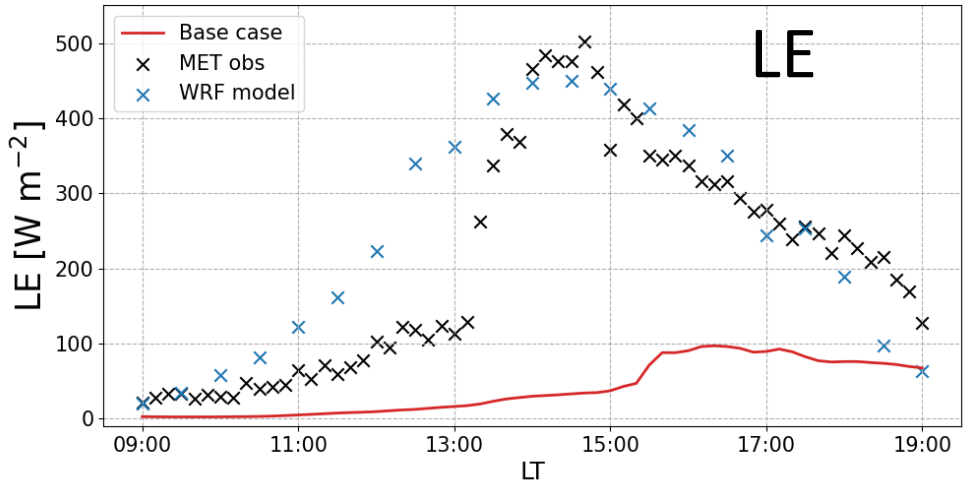
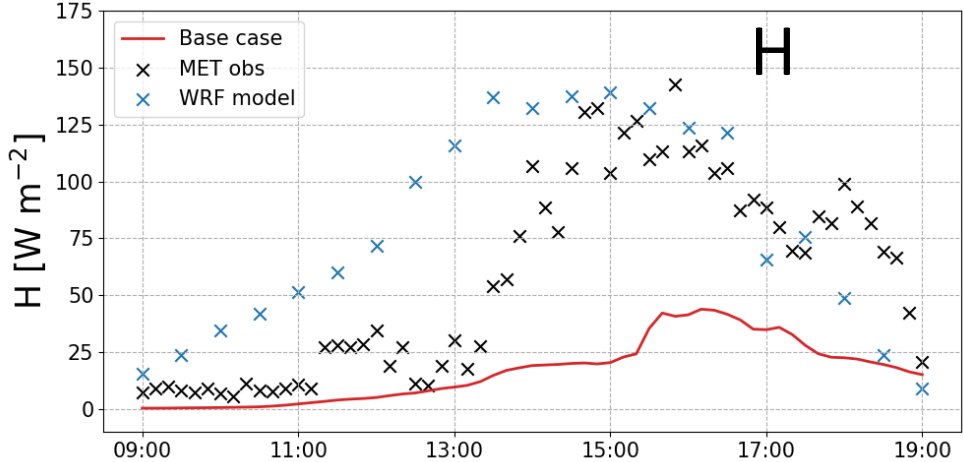
Experiments: + Mass advection



Experiments: + θ and q advection



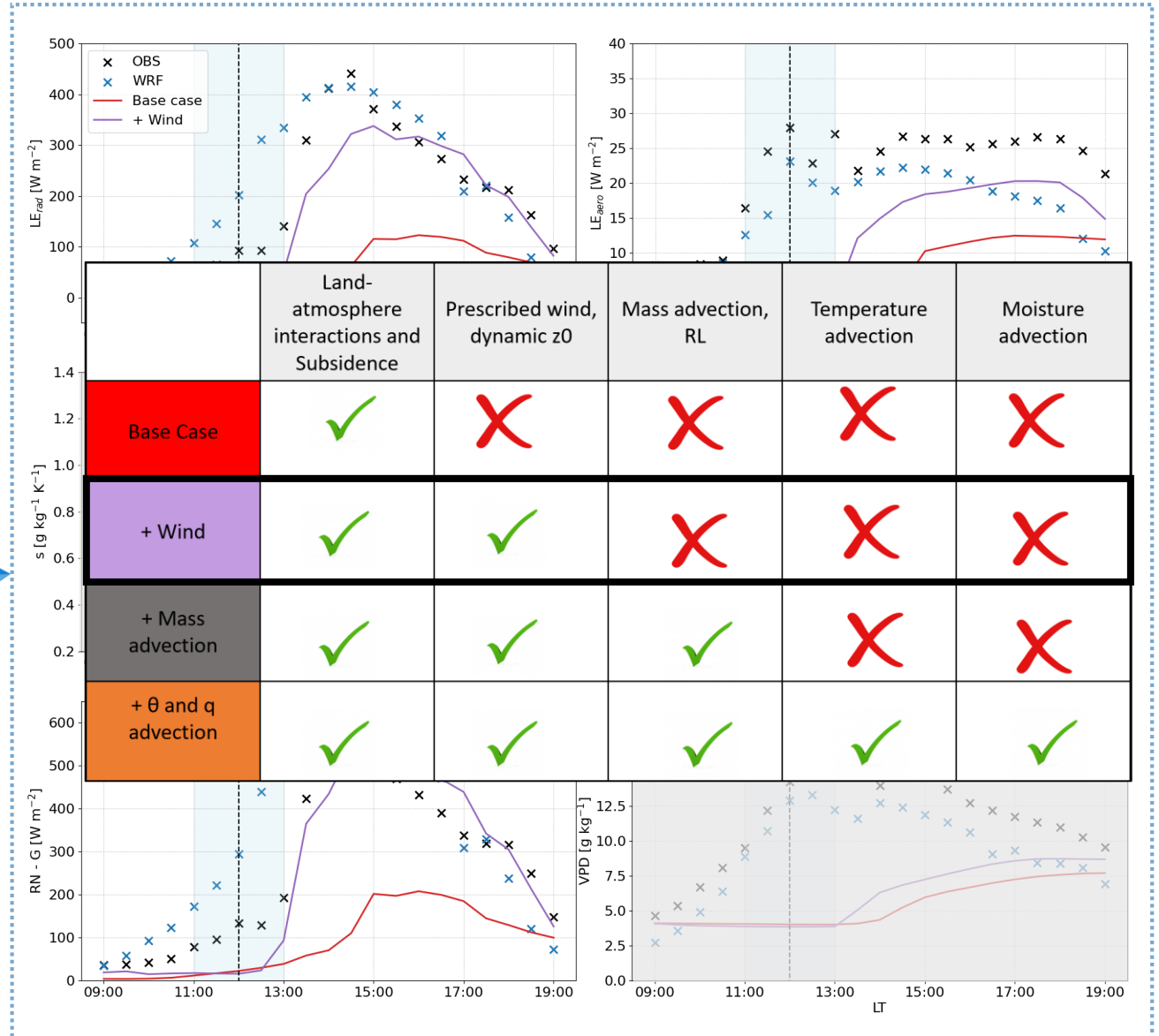
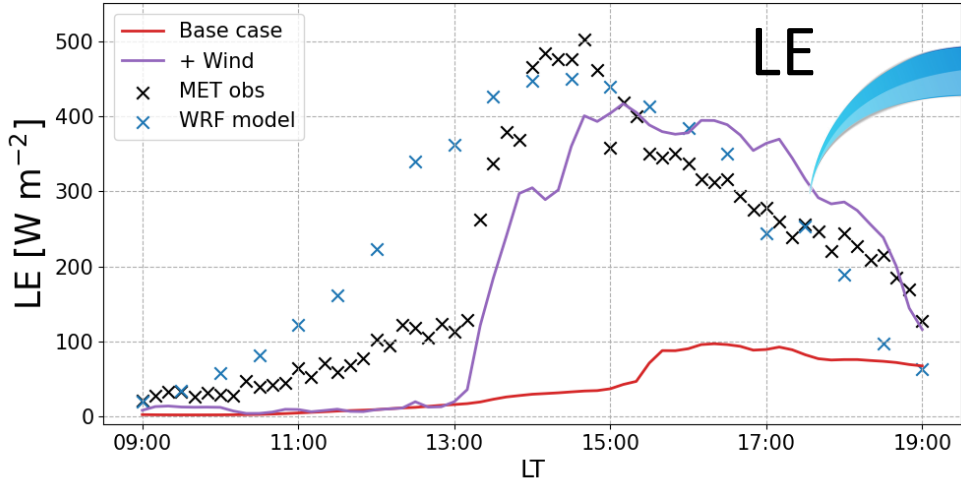
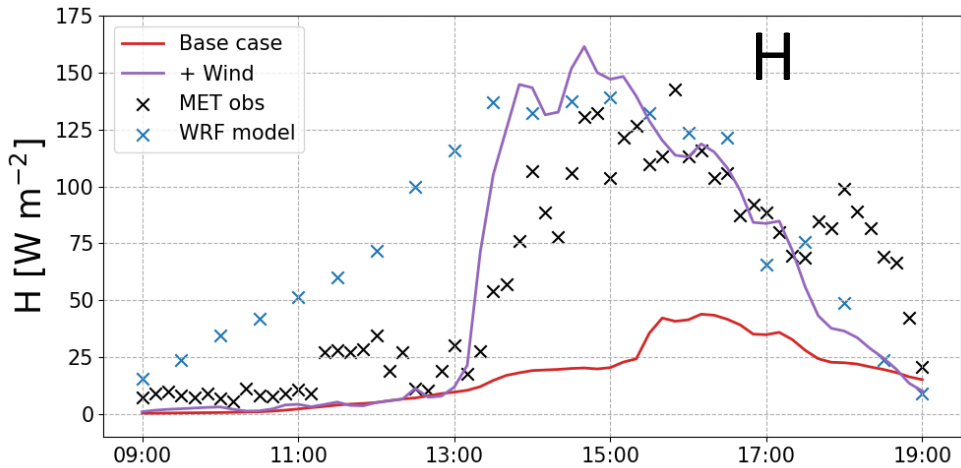
Base Case: small surface fluxes



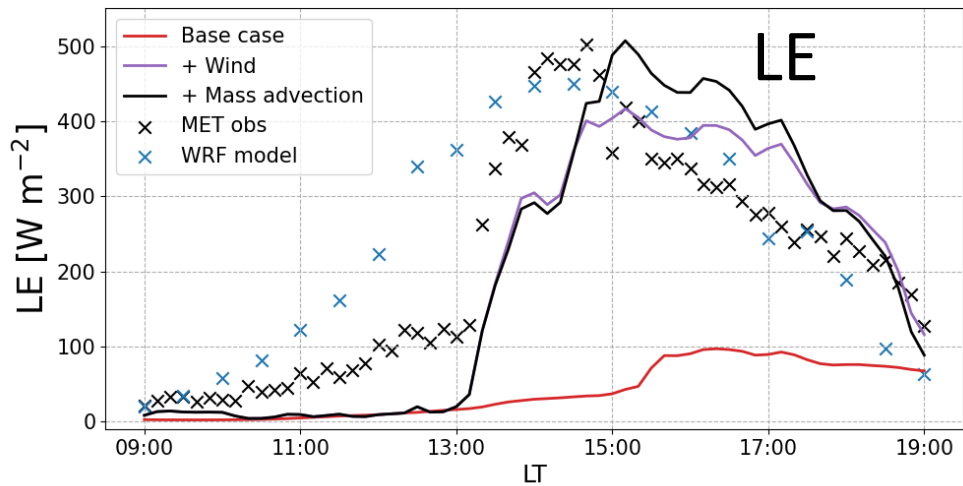
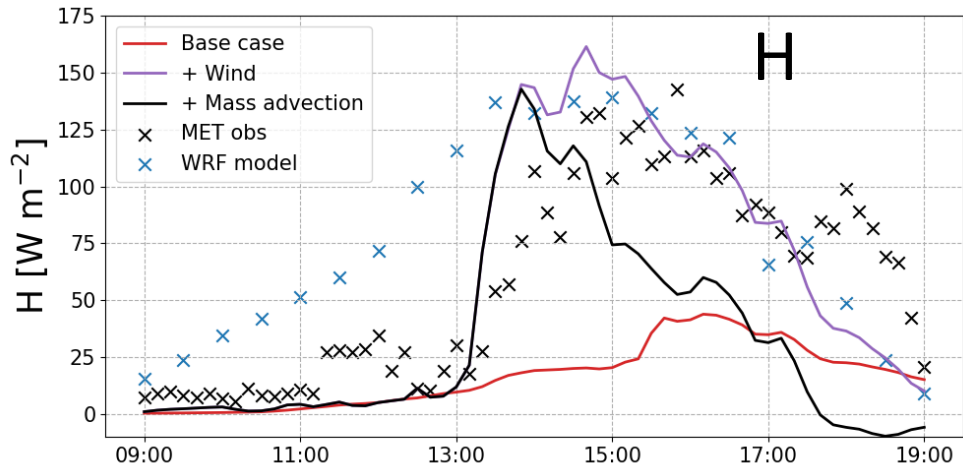
	Land-atmosphere interactions and Subsidence	Prescribed wind, dynamic z0	Mass advection, RL	Temperature advection	Moisture advection
Base Case	✓	✗	✗	✗	✗
+ Wind	✓	✓	✗	✗	✗
+ Mass advection	✓	✓	✓	✗	✗
+ θ and q advection	✓	✓	✓	✓	✓

+ Wind: mechanical turbulence triggers surface fluxes

$$LE = \frac{\overbrace{s(RN - G)}^{\text{Radiative contribution}} + \overbrace{\frac{\rho c_p}{r_a + r_{salt}} \left(q_{sat} - \frac{q}{a_w} \right)}^{\text{Aerodynamic contribution}}}{s + \frac{\gamma}{a_w}}$$



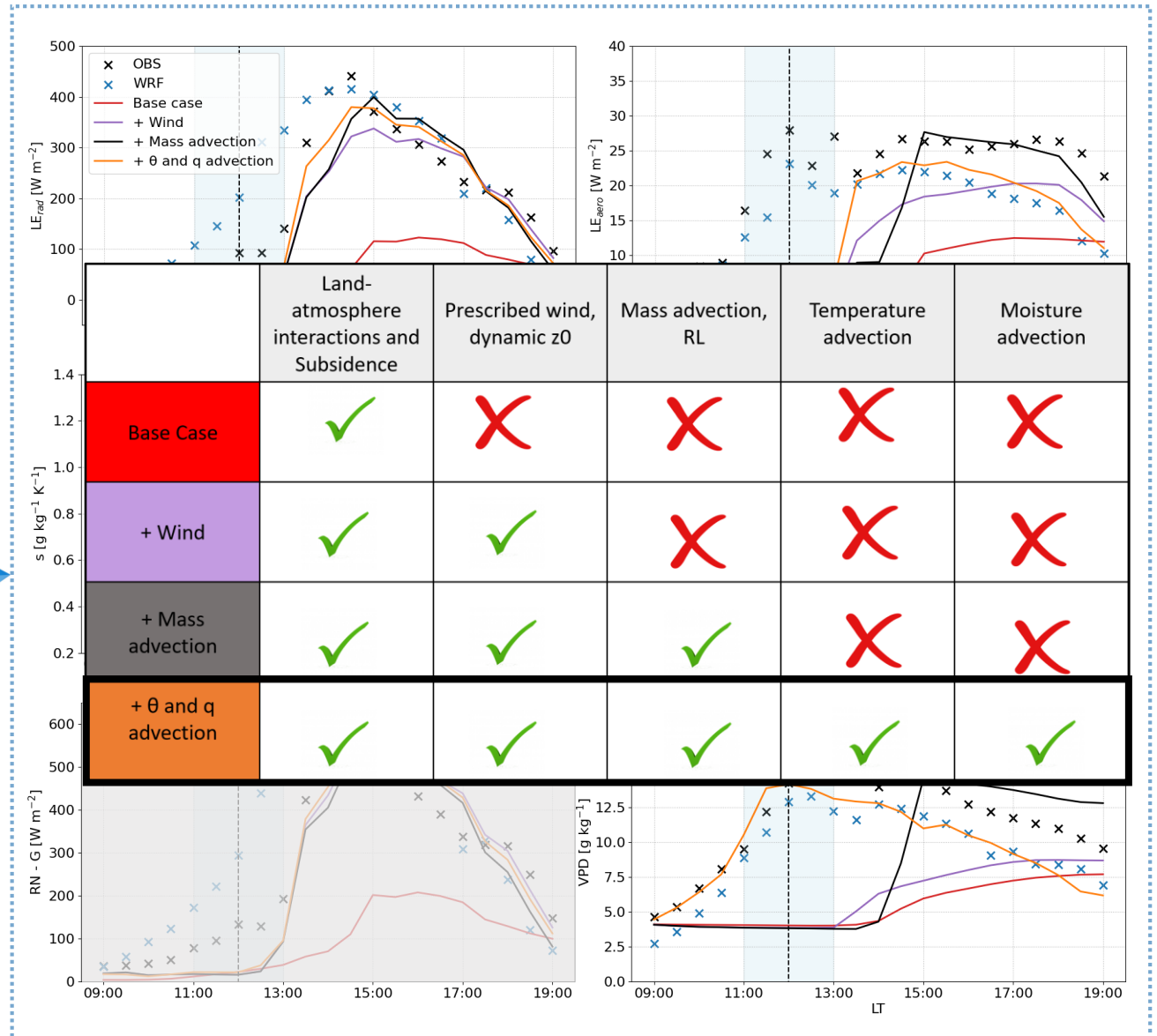
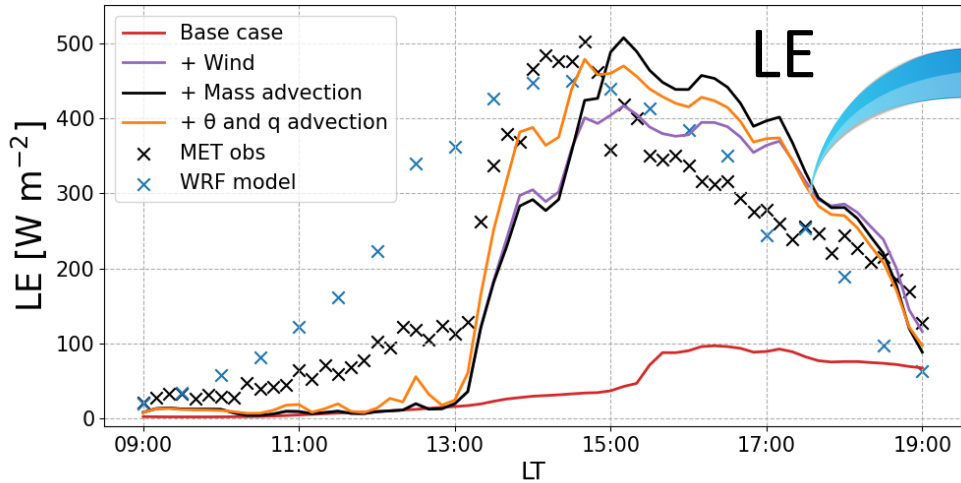
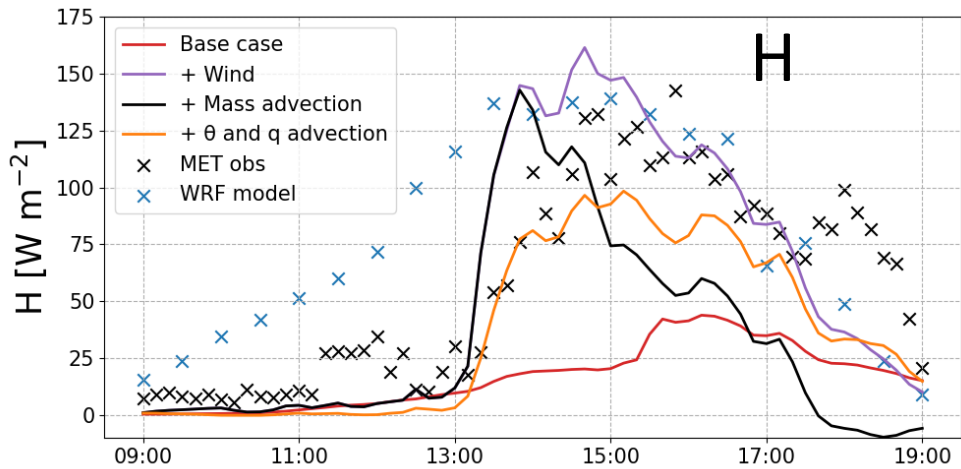
+ Mass advection: intermediate step



	Land-atmosphere interactions and Subsidence	Prescribed wind, dynamic z0	Mass advection, RL	Temperature advection	Moisture advection
Base Case	✓	✗	✗	✗	✗
+ Wind	✓	✓	✗	✗	✗
+ Mass advection	✓	✓	✓	✗	✗
+ θ and q advection	✓	✓	✓	✓	✓

+ θ and q advection: dynamic behaviour is better represented

$$LE = \frac{\overbrace{s(RN - G)}^{\text{Radiative contribution}} + \overbrace{\frac{\rho c_p}{r_a + r_{salt}} \left(q_{sat} - \frac{q}{a_w} \right)}^{\text{Aerodynamic contribution}}}{s + \frac{\gamma}{a_w}}$$



Remarks

- The **atmospheric boundary layer** is mainly driven by **advection**
- **Evaporation** is mainly triggered by **turbulence** when the regional flow arrives
- **Evaporation** is also driven by the interaction with the ABL:
 - **Mass advection** of a deeper boundary layer from the surrounding desert
 - **Cold and dry air advection** that allows to describe the dynamic behaviour

**The understanding of
the ABL dynamics is key to understand evaporation regimes in the Altiplano!**

ACKNOWLEDGEMENTS



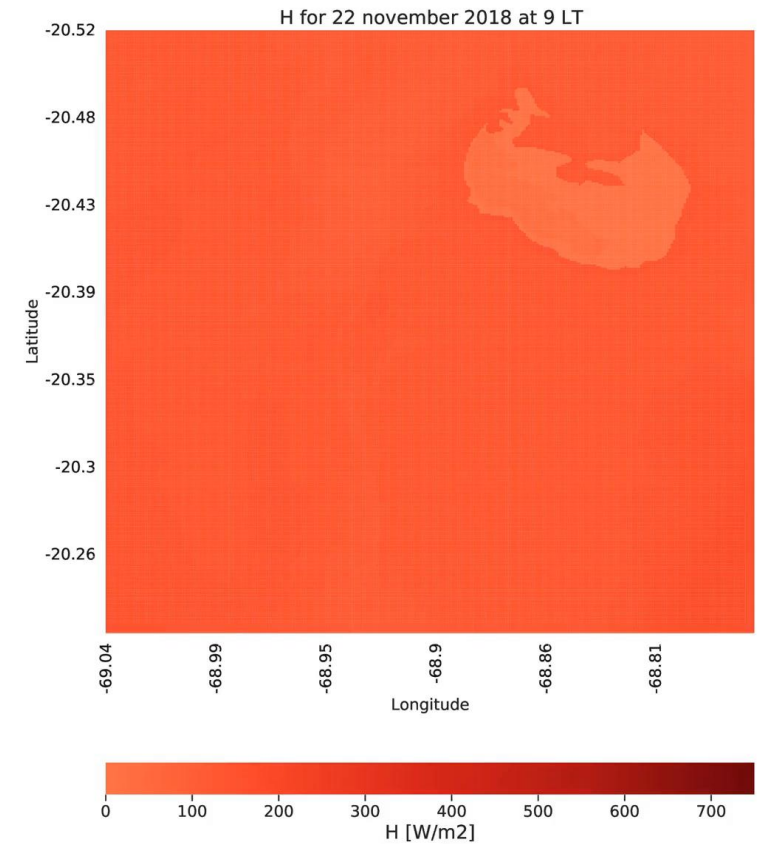
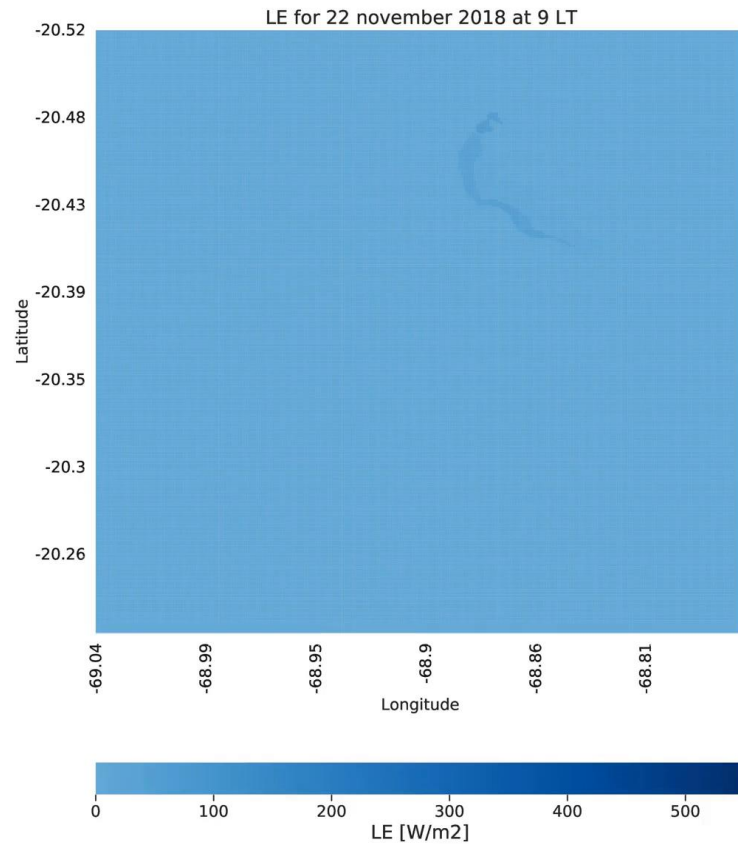
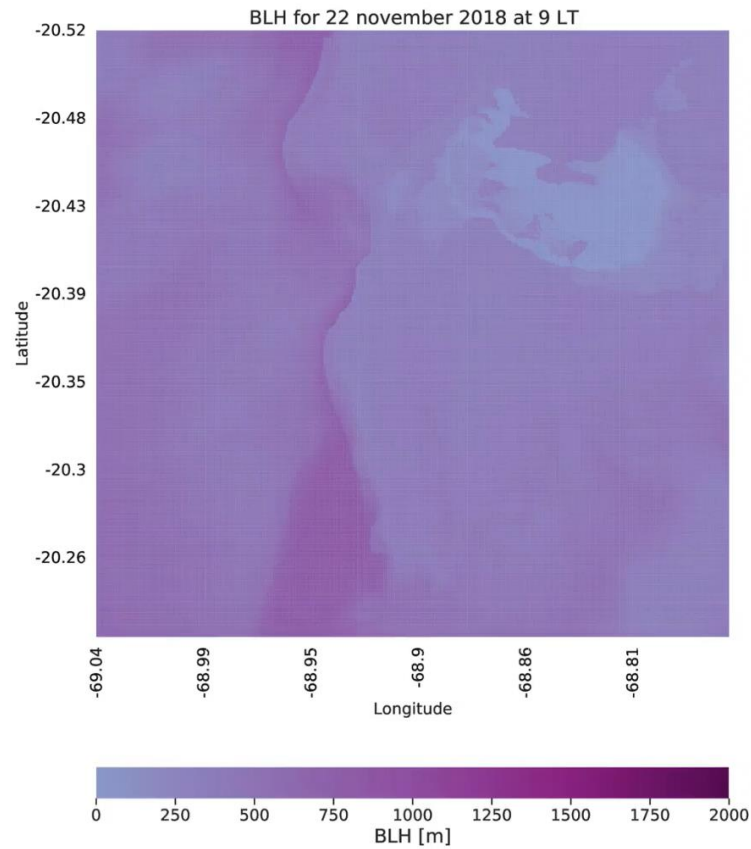
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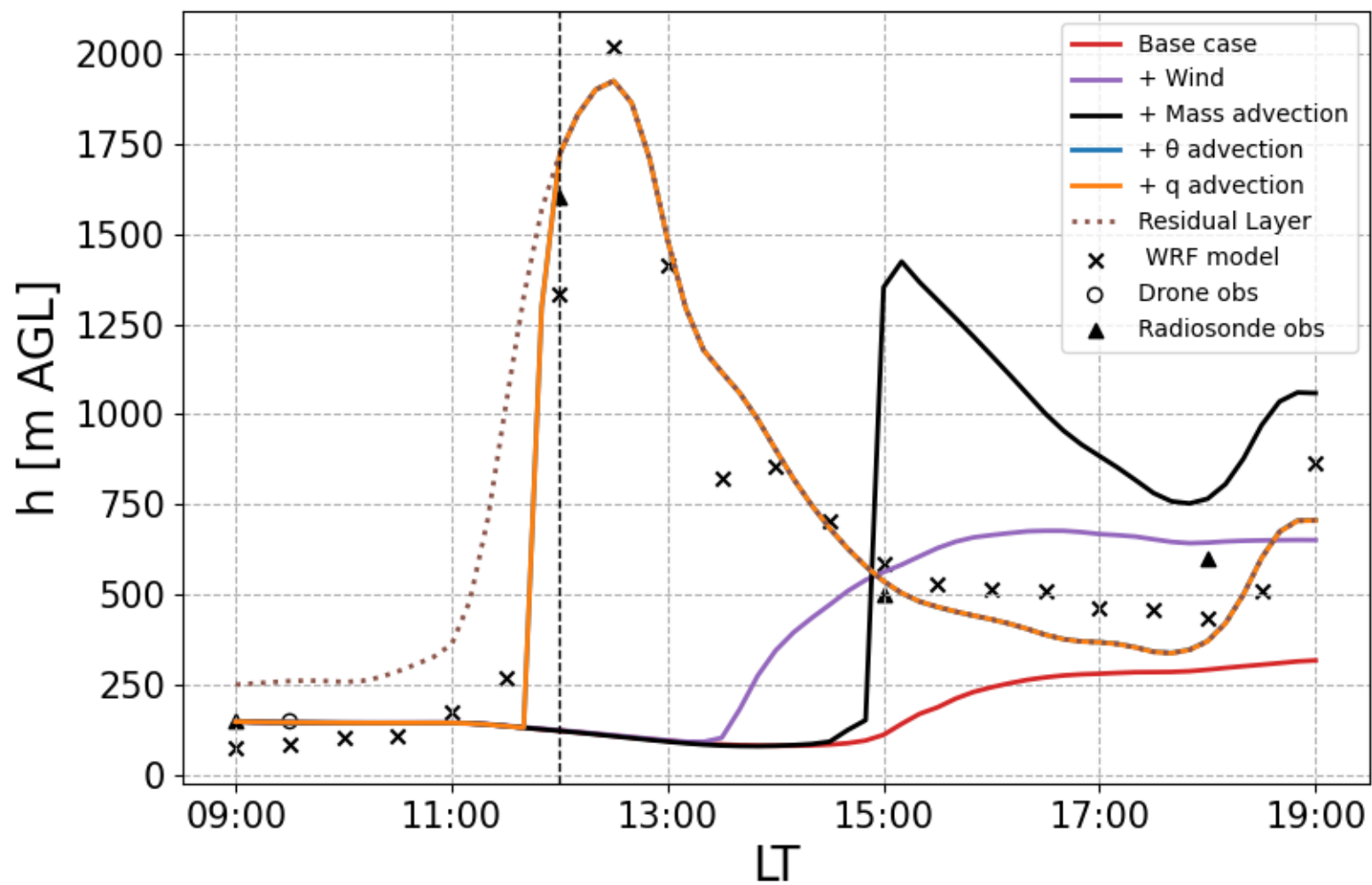
Francisca Aguirre-Correa*, Jordi Vilà-Guerau de Arellano, Reinder Ronda,
Felipe Lobos-Roco, Francisco Suárez, and Oscar Hartogensis

✉ faguirre2@uc.cl

Appendix: WRF animations

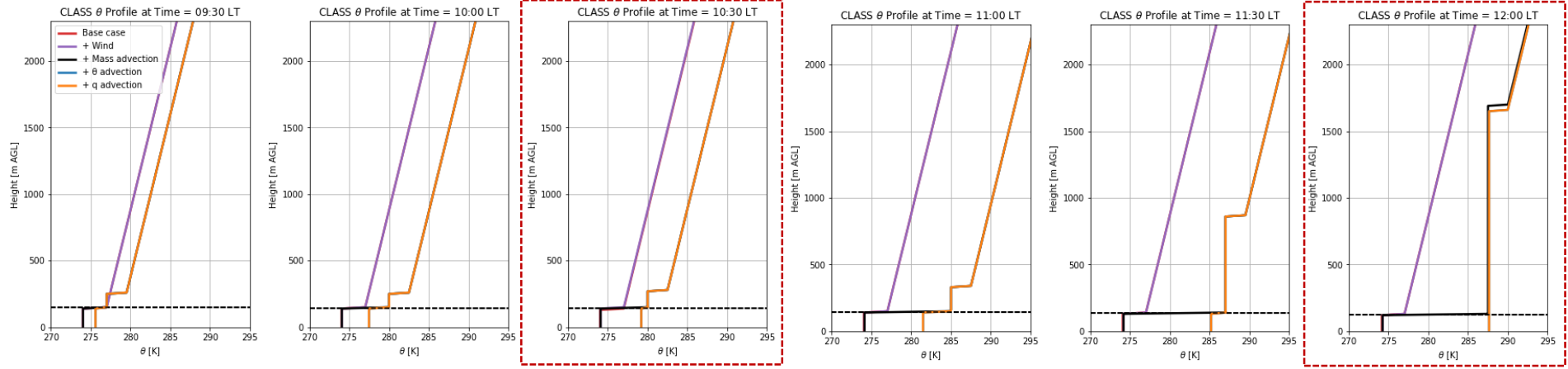


Appendix: CLASS h

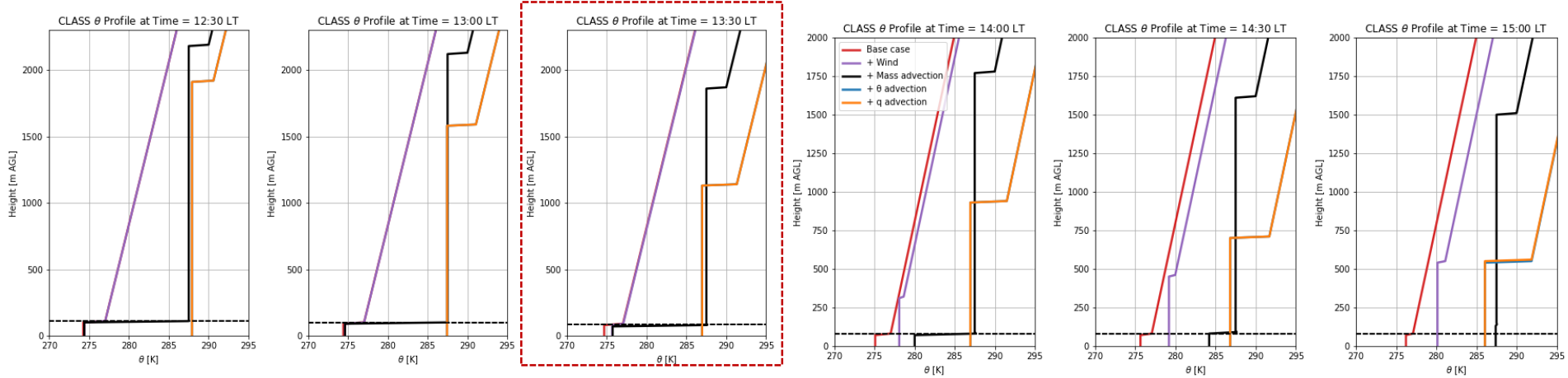


Appendix: CLASS profiles

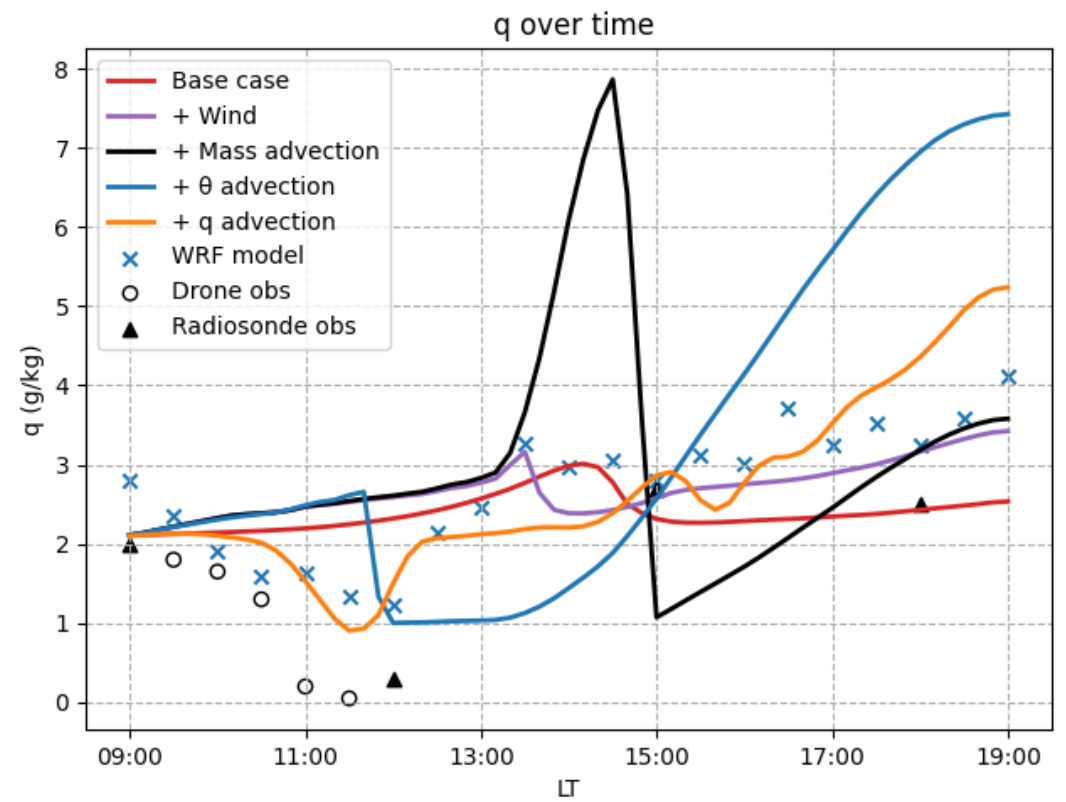
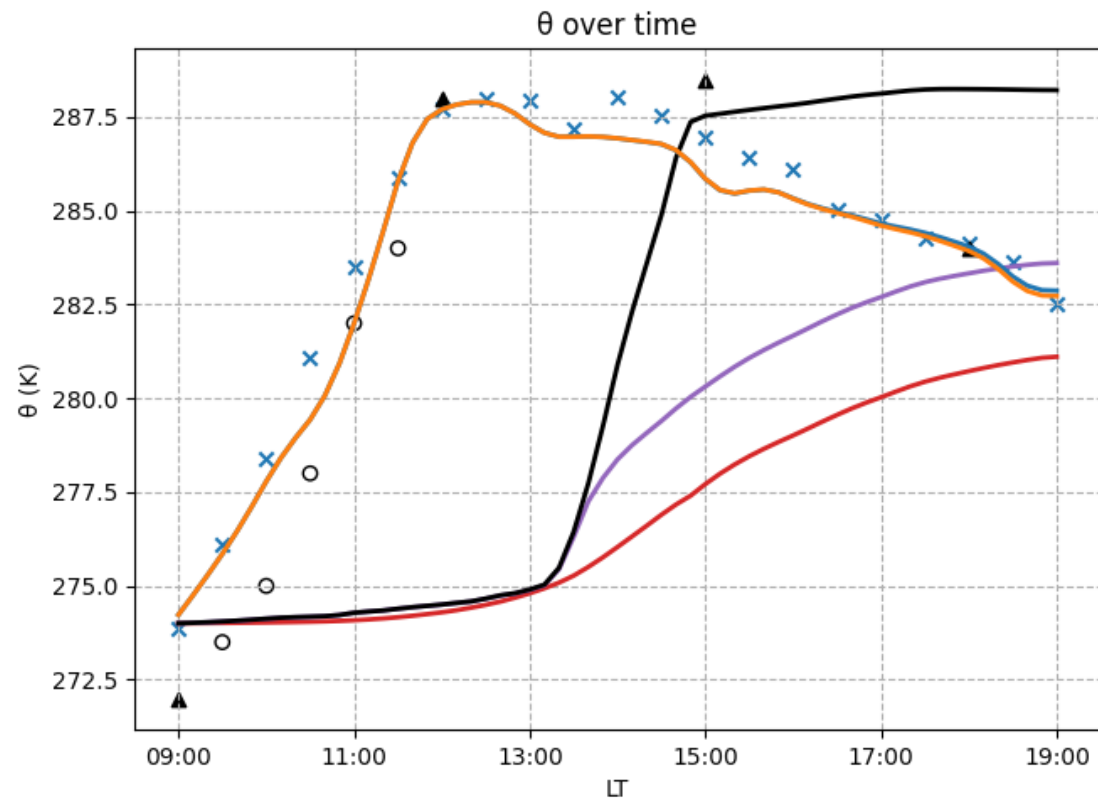
MORNING



AFTERNOON

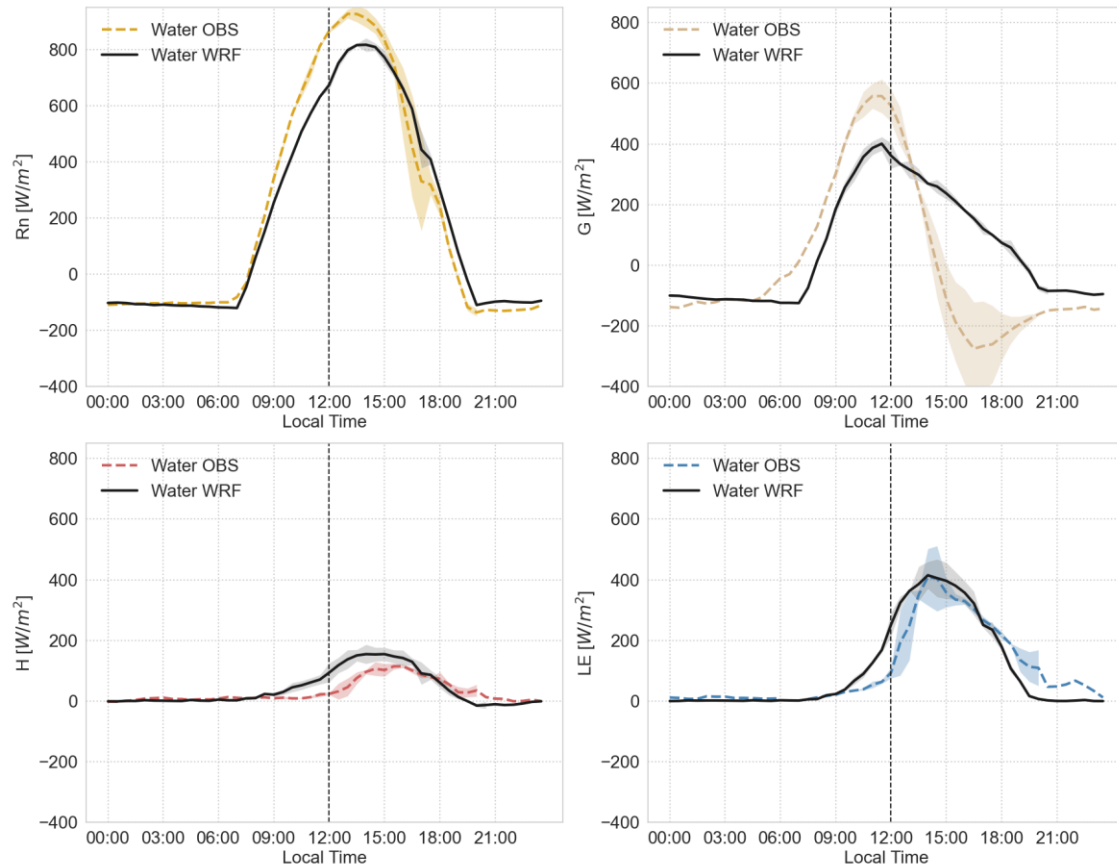


Appendix: CLASS temperature and moisture

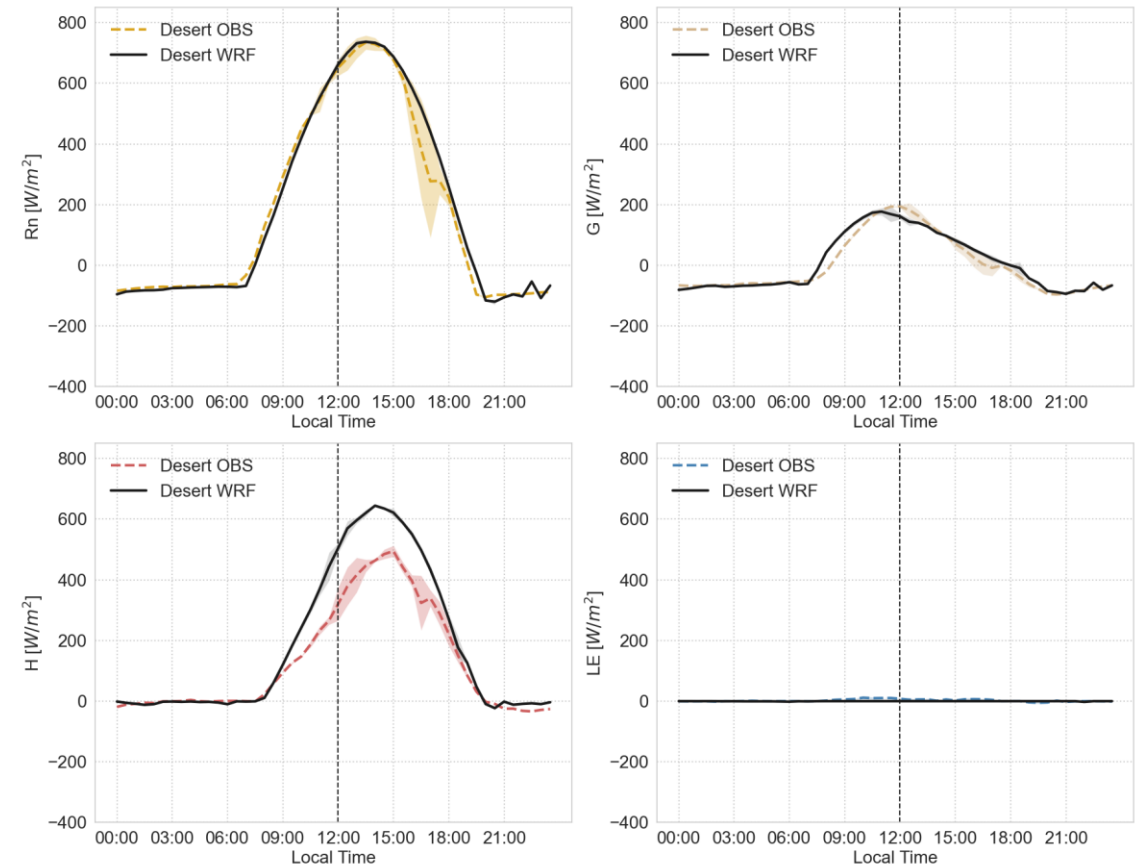


Appendix: WRF surface validation

Water



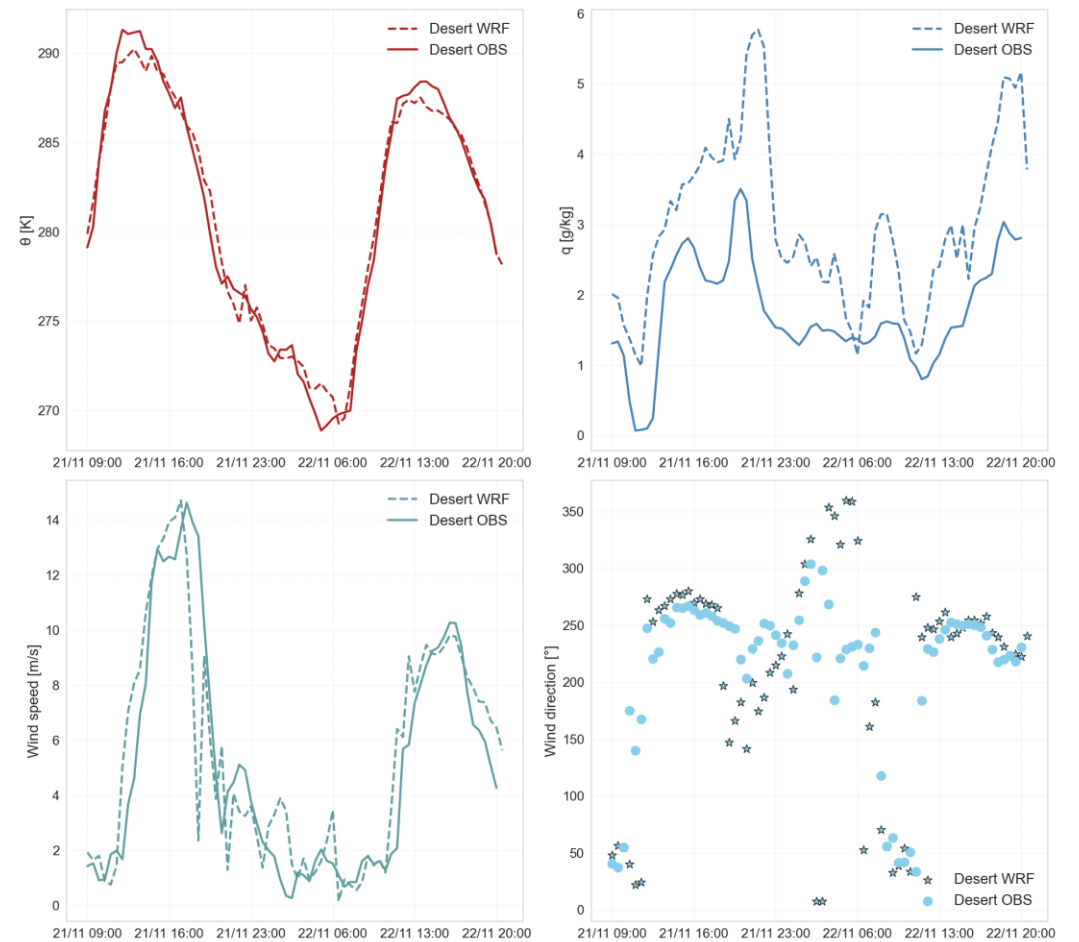
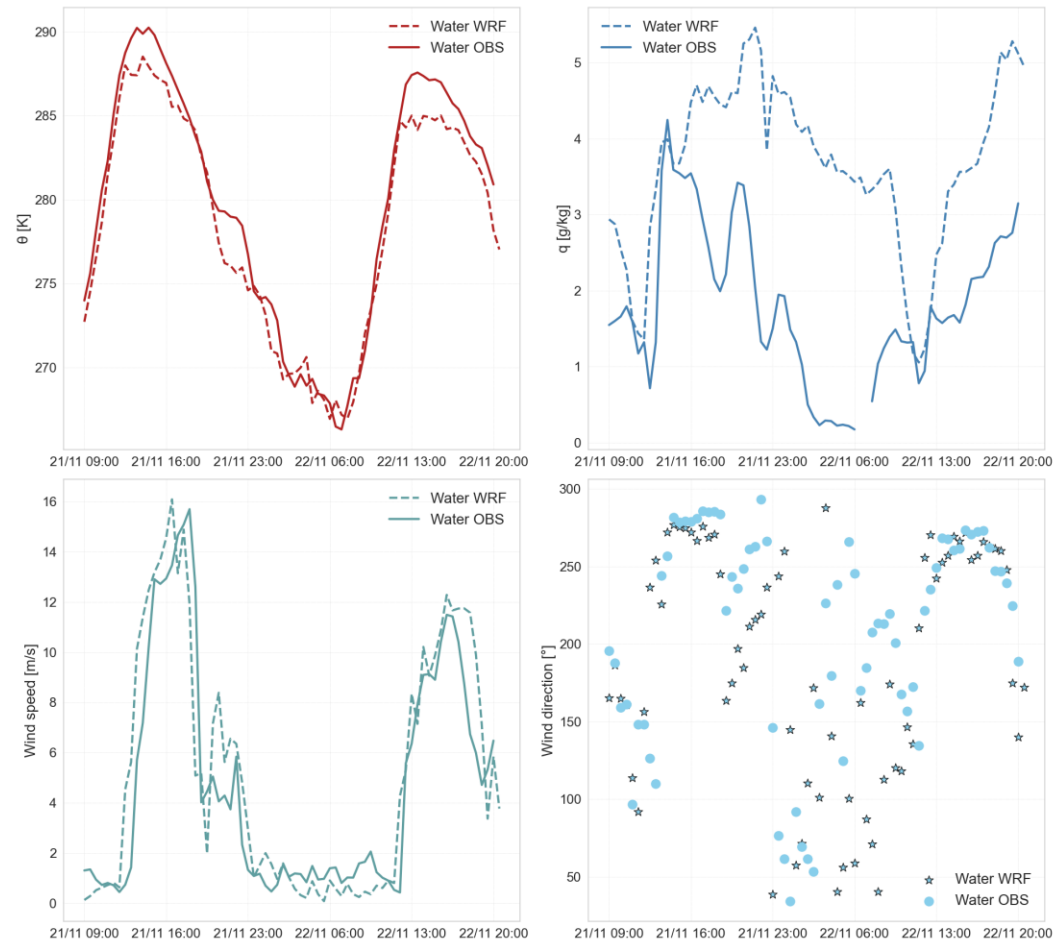
Desert



Appendix: WRF surface validation

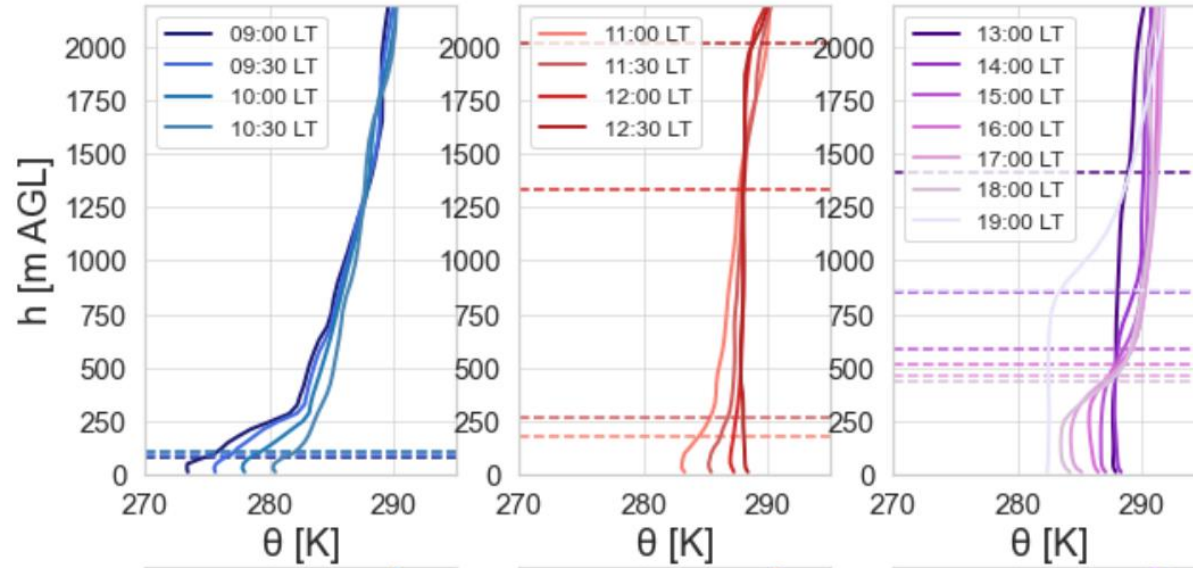
Water

Desert

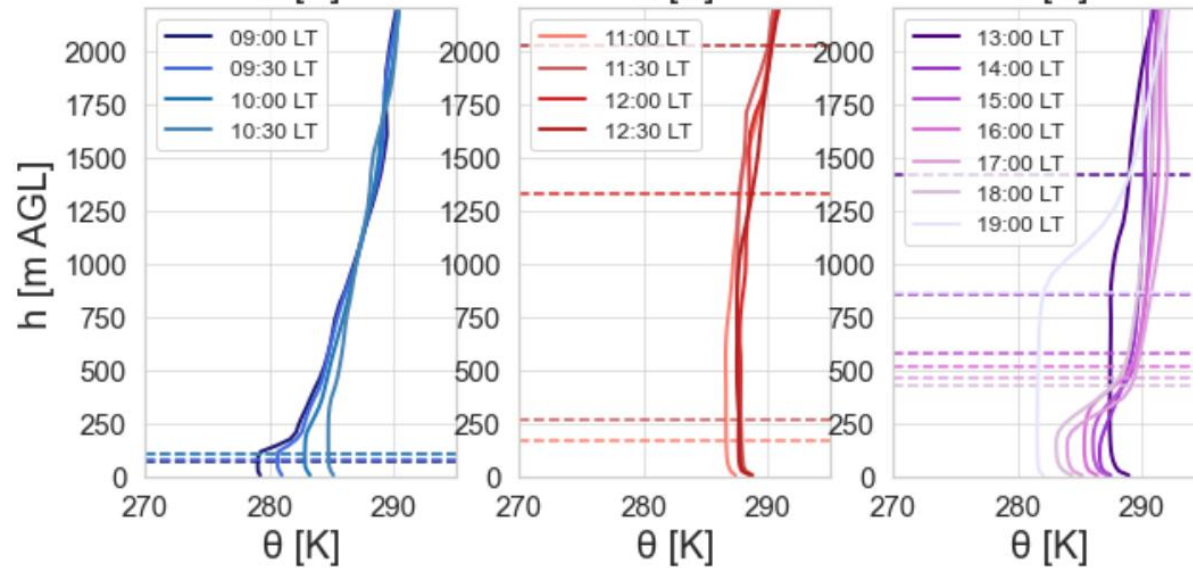


Appendix: WRF ABL validation

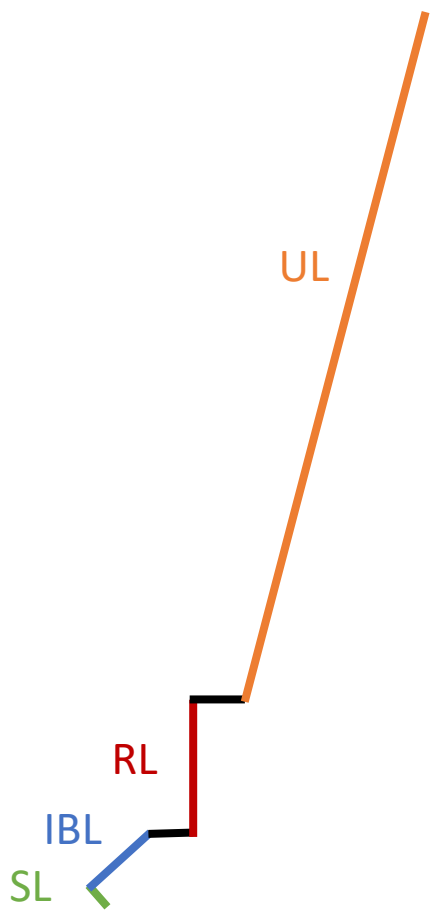
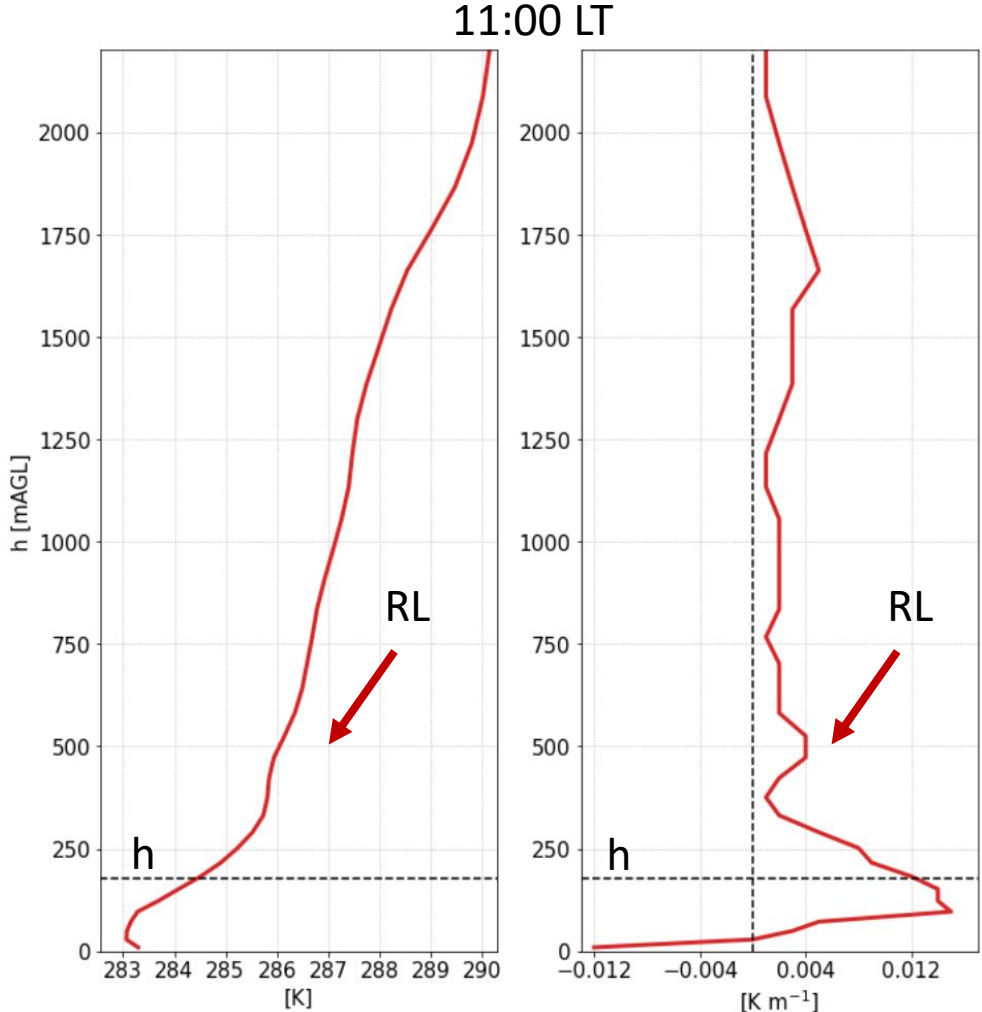
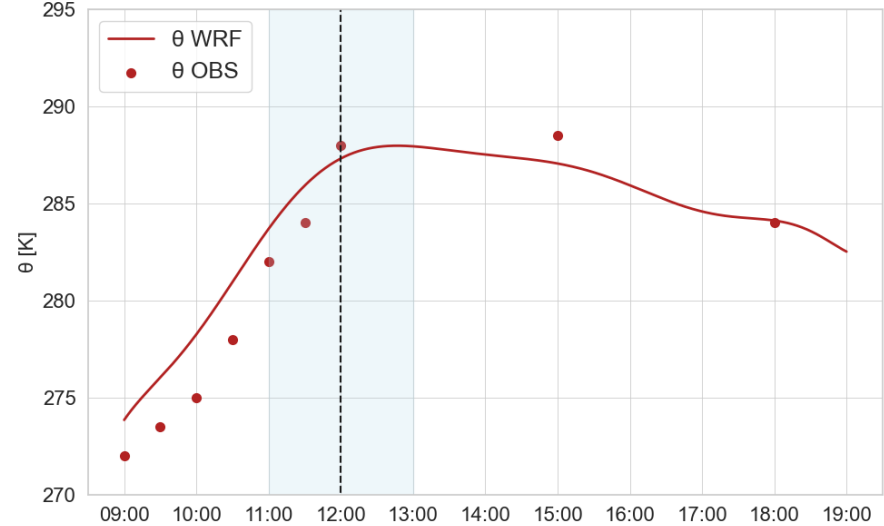
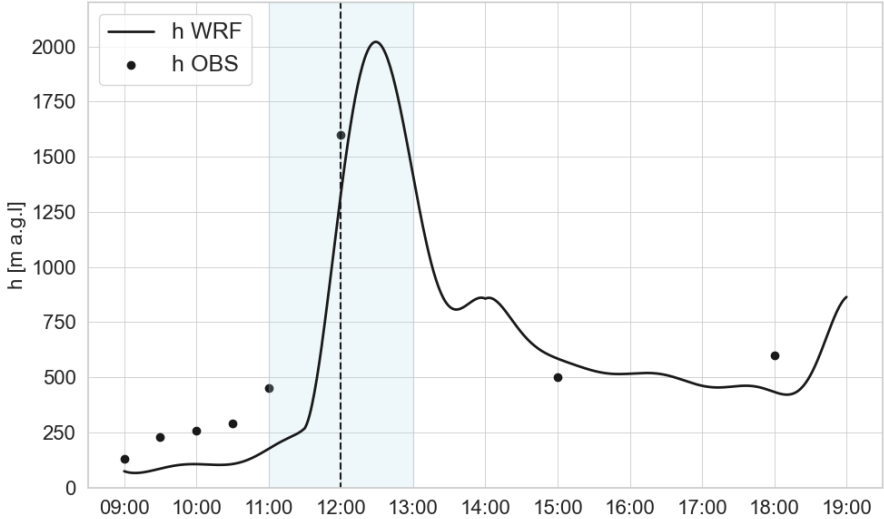
Water



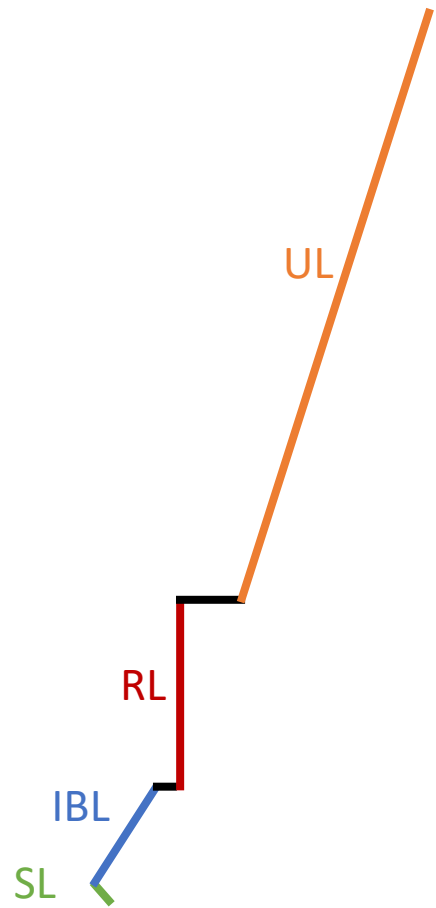
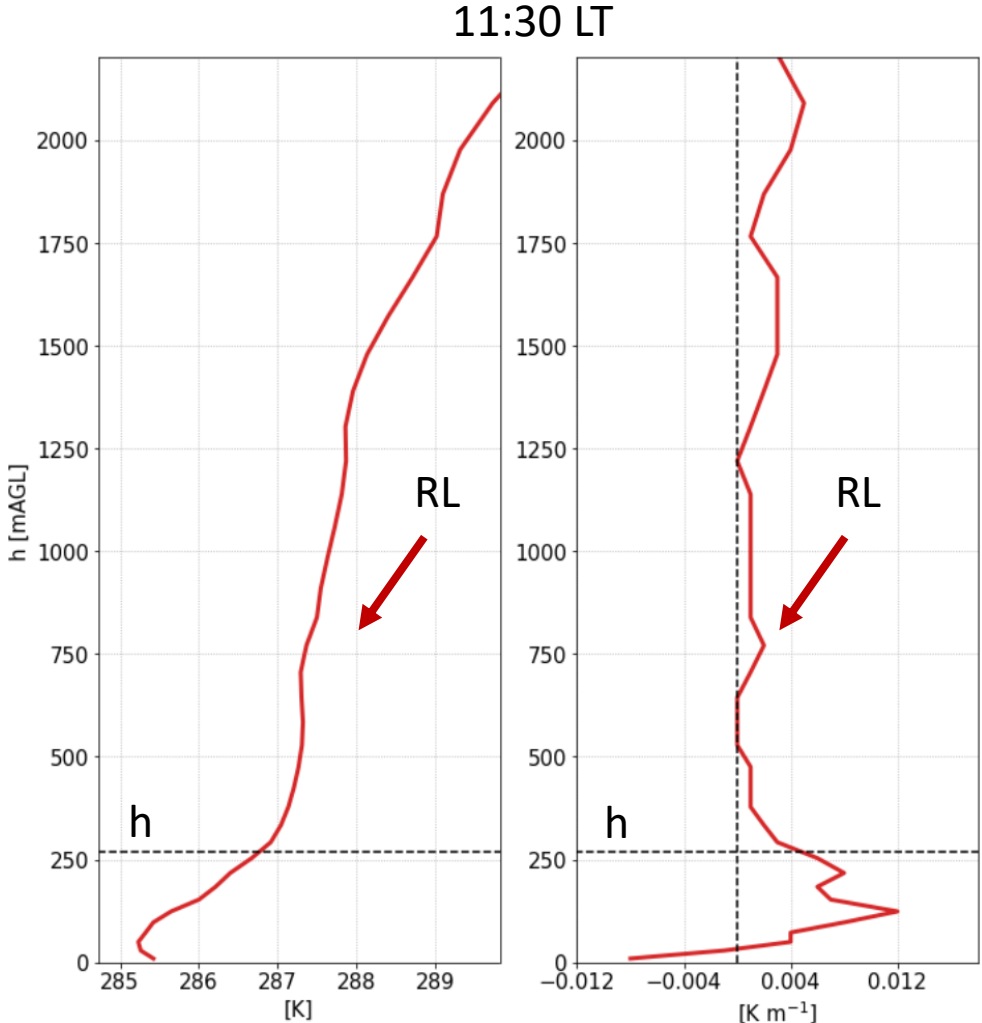
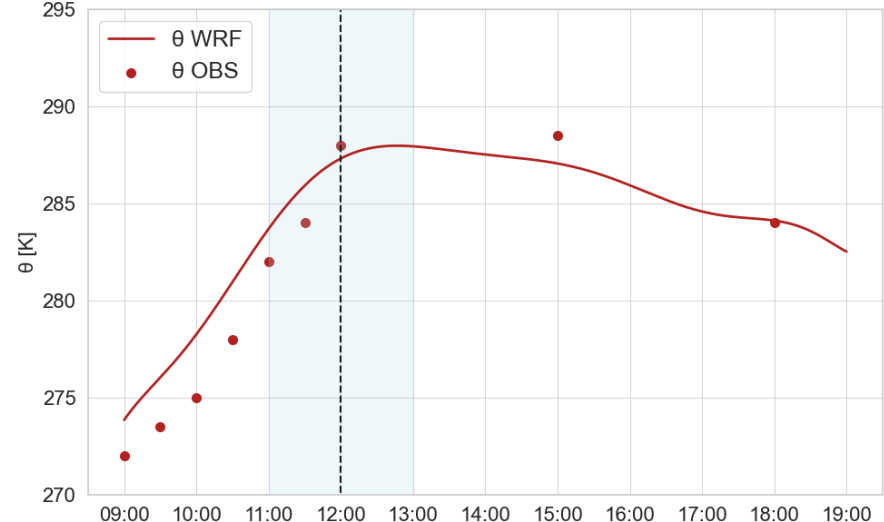
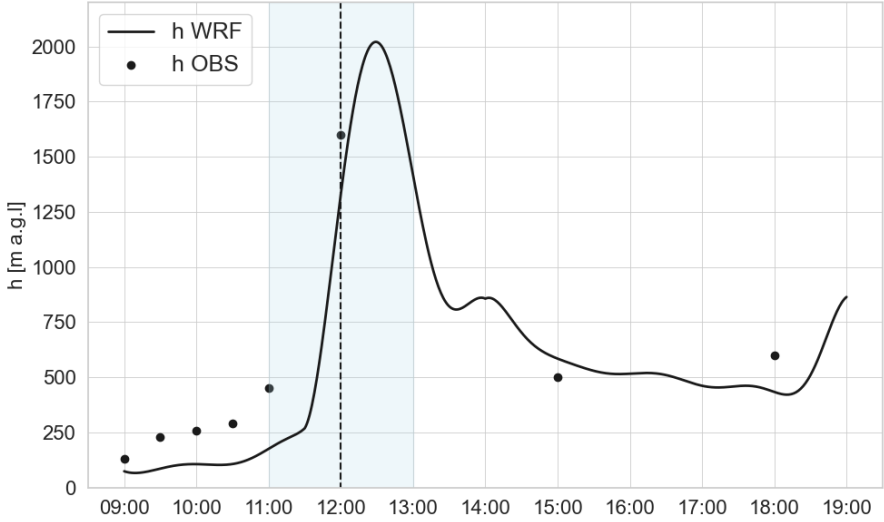
Desert



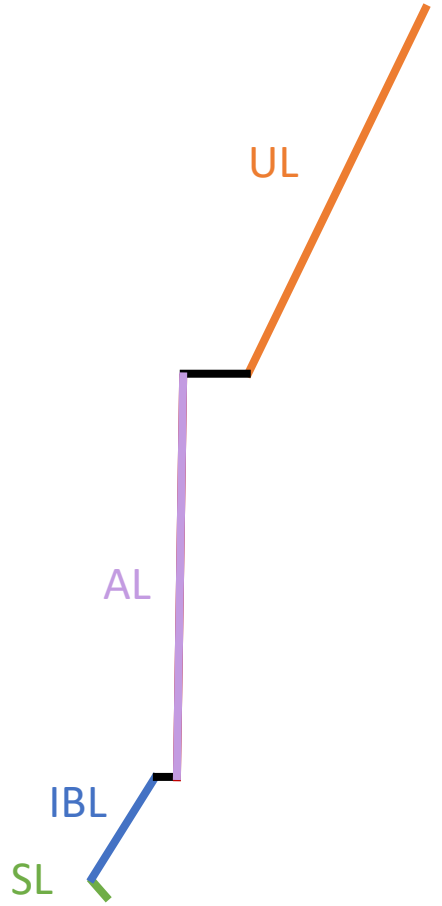
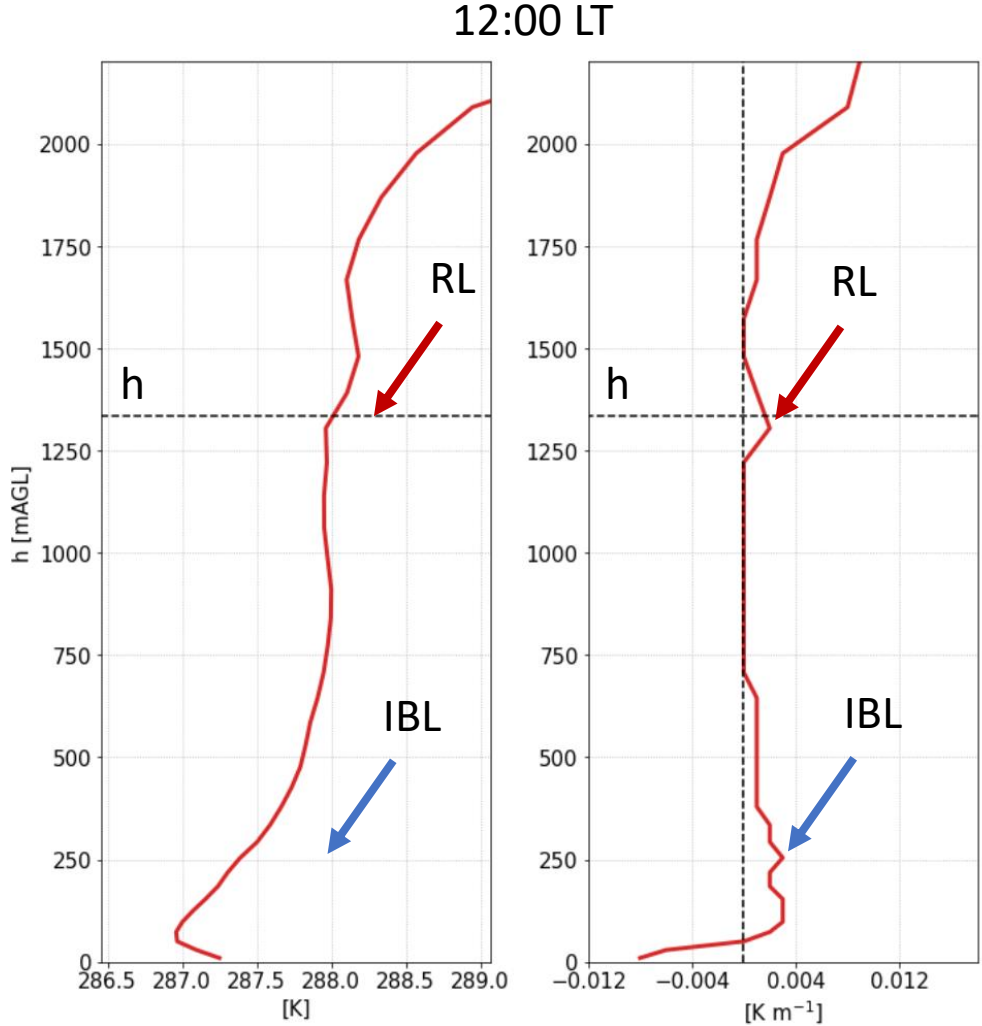
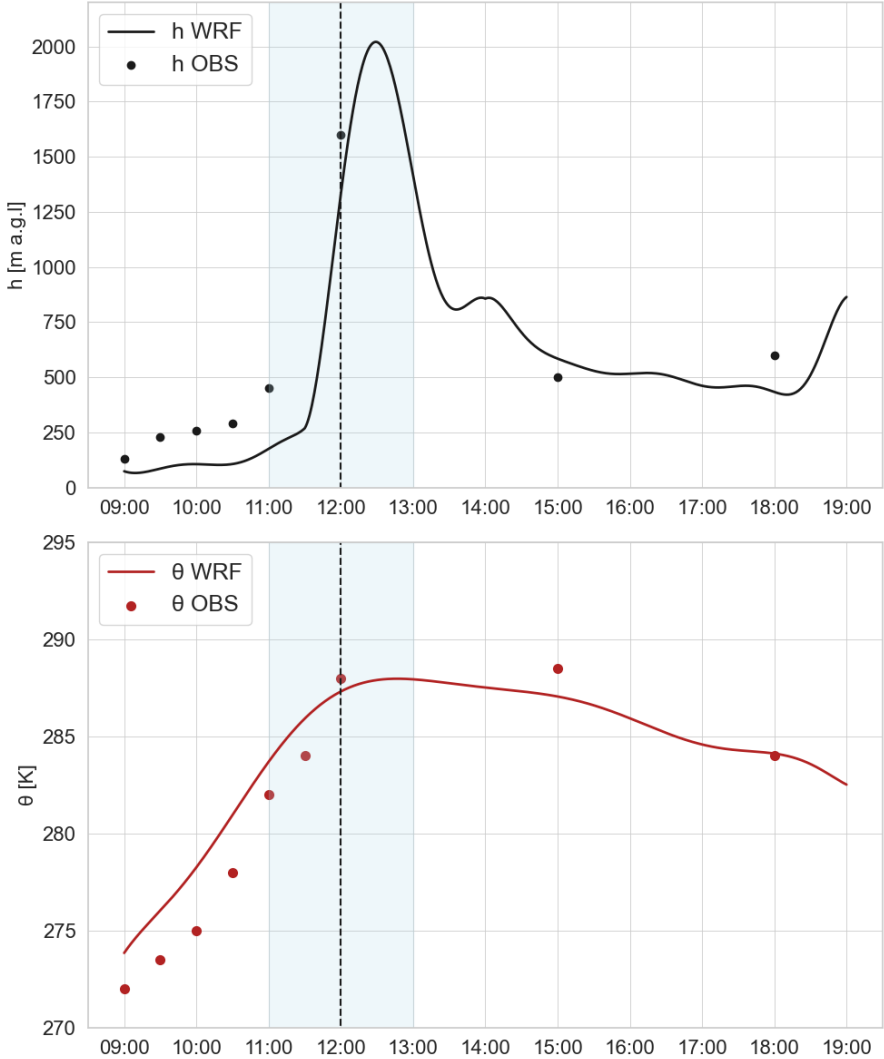
Understanding the atmospheric boundary layer dynamics



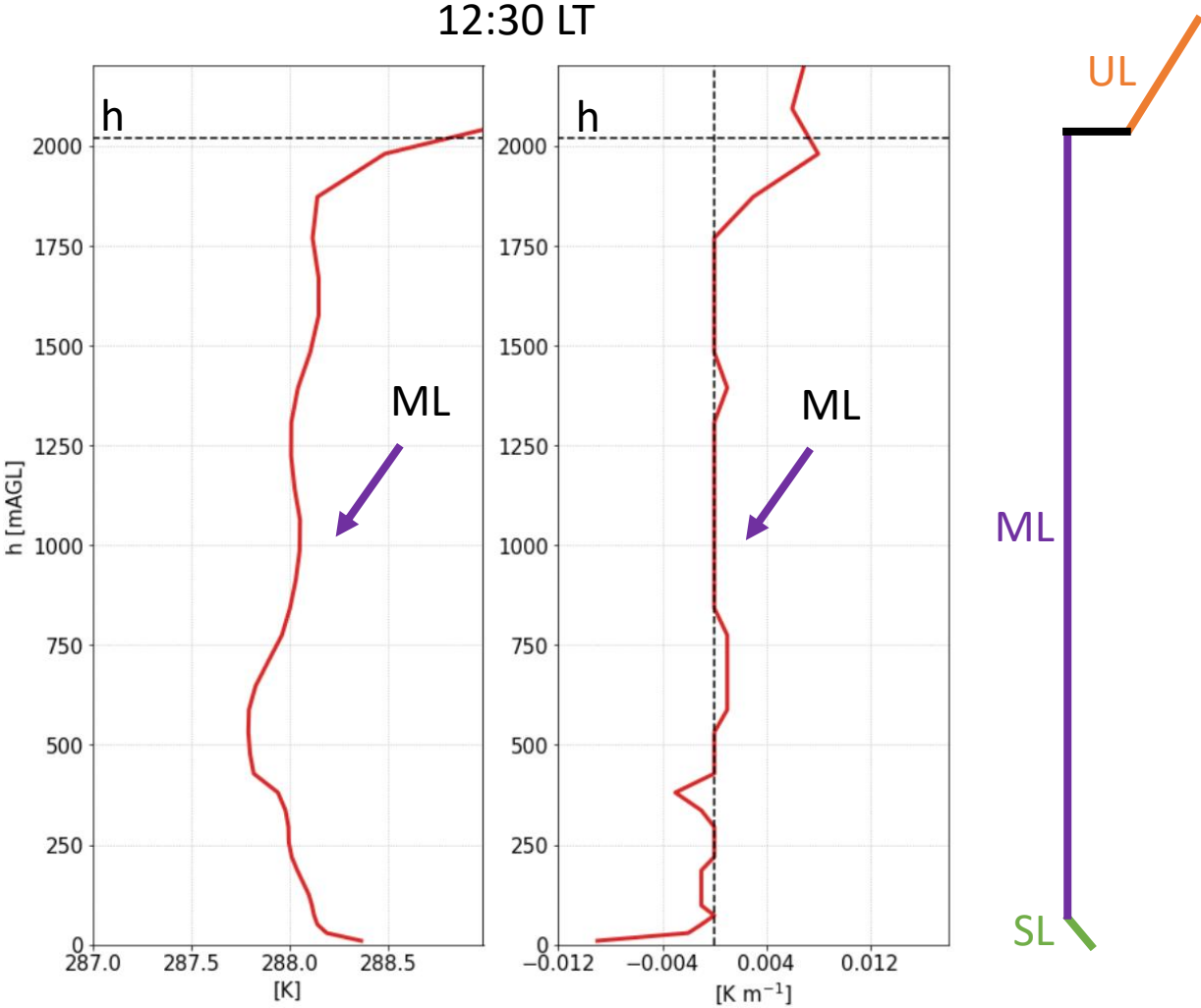
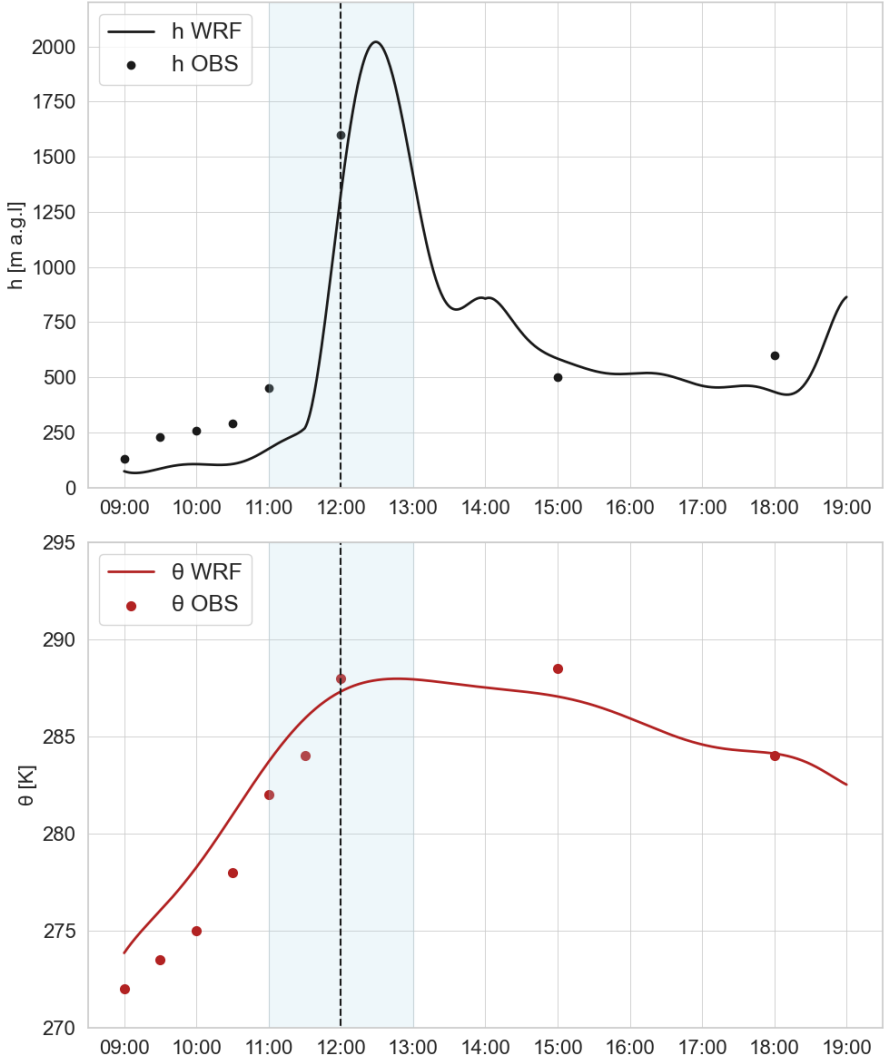
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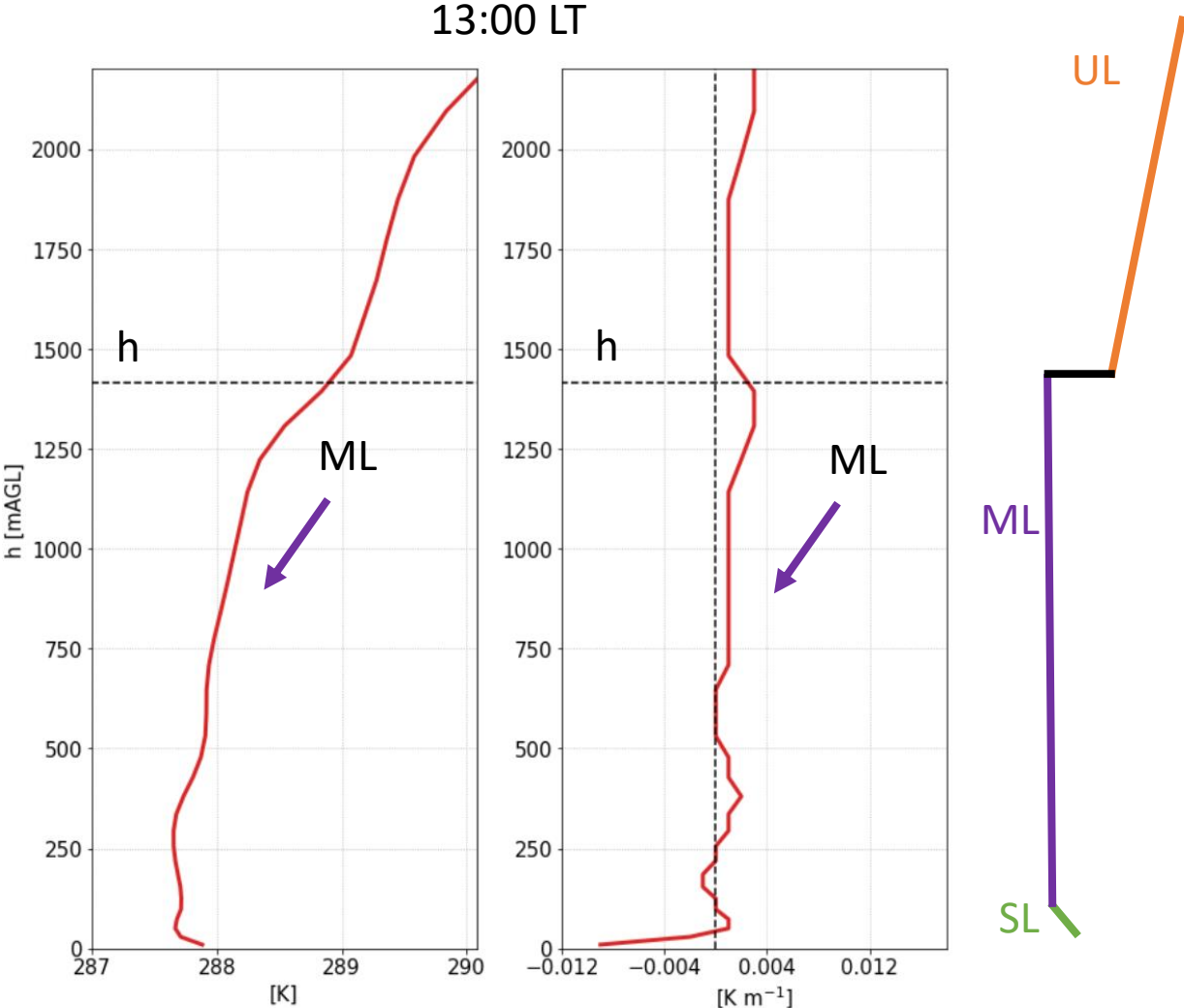
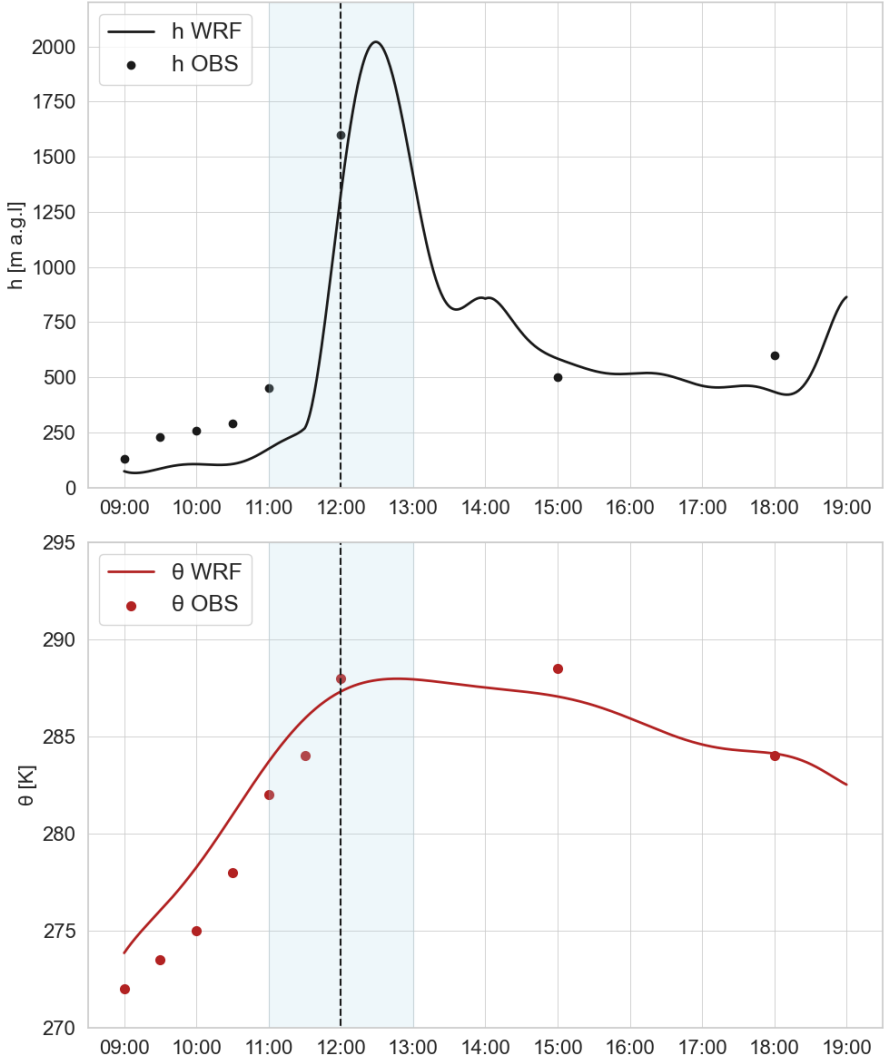
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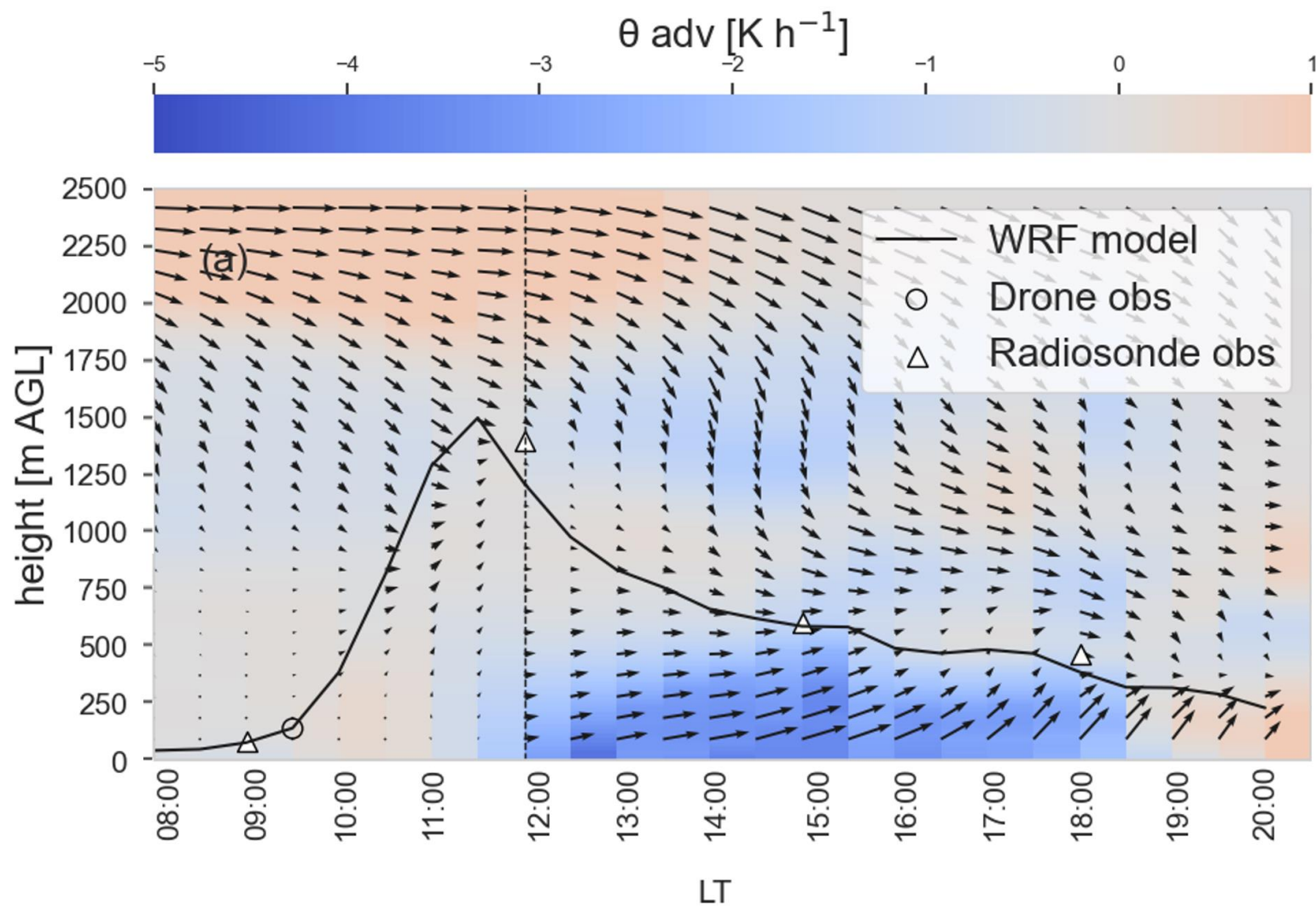
Understanding the atmospheric boundary layer dynamics



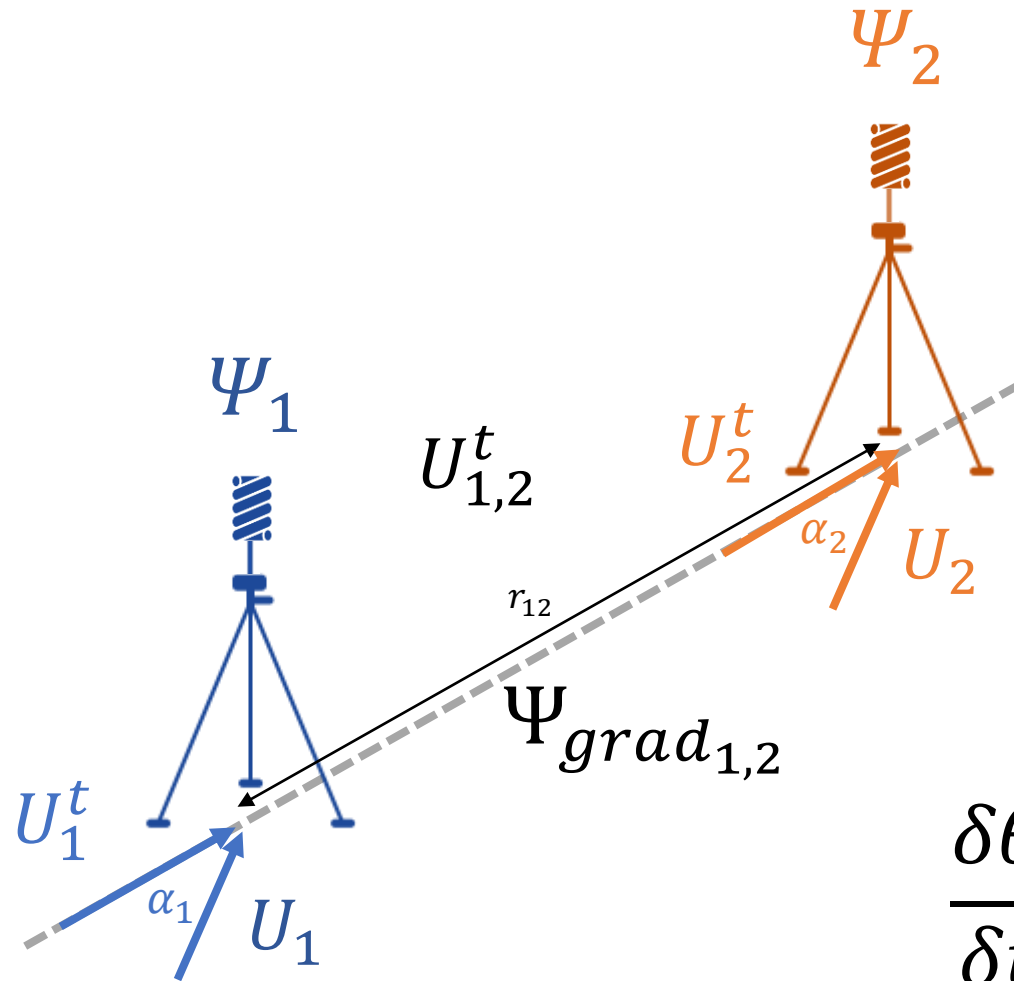
Understanding the atmospheric boundary layer dynamics



Appendix: desert



Advection approach



$$\Psi_{grad} = \frac{\Psi_2 - \Psi_1}{r_{12}}$$

$$U_1^t = -U_1 \cos(\alpha_1)$$

$$U_2^t = -U_2 \cos(\alpha_2)$$

$$\frac{\delta\theta}{\delta t} = \frac{(\overline{w'\Psi'})_{adv} = (\overline{W_{1,2}^t\theta'})_e \Psi_{grad}}{h} + \theta_{adv}$$